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二硫化鉬及二硫化鎢傳輸特性及其電晶體之研究

Studies of Materials and Transport Properties of

MoS₂ and WS₂ Based Transistors

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MoS₂ and WS₂ Based Transistors

本論文係陳品方君（學號 R08941028）在國立臺灣大學
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致謝

從大學到碩士班這一路最感謝的便是我的指導教授吳育任教授。從大二下的固態電子學與老師結識，當時我正在為將來的走向而疑惑，好像在 ICS/CS 為顯學的時代，我又不太會電子學，也不會寫程式，研究要往哪裡去真的令人疑惑。還好那時突然腦袋撞到去加簽了固態電子學(我整個大學只加簽了這一門課)，老師上課時很認真地講述著元件物理，甚麼 Conduction band 及 Valence Band 的，那能帶的變化搞得我頭很暈，但回去把書念一念又覺得很有成就感，便決定找吳老師做專題。找吳老師會談前，還有去老師的個人網頁看看，好像是做 LED 的，但腦袋也沒很清楚實際要做甚麼。找老師後，變成為老師的專題生，也才花了更多時間去理解固態物理、半導體物理。現在回想起來，覺得自己很矛盾，畢竟從大一計算機程式之後，我就決定我不要在寫程式，但不知幾時開始寫程式卻成為了自己專業的一部分，雖然不特別好，但卻堪用也持續在進步，多虧了這幾年的練習及老師的指導。老師一直教的是做事的方法，怎麼去很紮實地去處理問題、解決問題，也讓我有信心，即使未來脫離了我自己的領域，我也有機會繼續以紮實的態度去解決問題，真的很感謝老師的培育。

再來感謝的是蔡宗印學長。以前我們合作處理計畫時，學長總是處理的特別多，默默幫我扛下不少壓力，還教我怎麼處理很多的程式問題、基本物理及怎麼畫圖。在我當專題生時，我跟他合作總是偷懶，他也總是笑一笑，只能說我運氣不錯。此外，很感謝黃雋宇學長，雖然他與我的研究上並沒有直接的關聯，但他常與我們討論問題，並提出可行的方式，建議我們嘗試。還要感謝幾位已經步入職場的學長，當專題生的幾年有一起共事一起學習，還記得那時常與林稚皓學長一同在實驗室窩到頗晚。

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碩士兩年，再吳老師實驗室三年多，回首，自己成長很多，只能說自己也很幸運吧，從家庭、老師、朋友等等都是自己成長的養分。所以這本論文能完成，要感謝的人真的很多，也很慶幸自己是個幸運的人。

中文摘要



本研究以蒙地卡羅法討論二硫化鉬以及二硫化鎢的傳輸特性，經模擬後得知二硫化鉬及二硫化鎢的電子遷移率分別為 $171 \text{ cm}^2/\text{V-s}$ 及 $83 \text{ cm}^2/\text{V-s}$ 。此外，能帶中，K 能谷以及 Q 能谷間的能量差是影響材料傳輸特性的重要因素。但若將二維材料周圍以高介電係數材料包覆，遠程聲子散射將會成為最重要降低材料速度的因子。我們將討論完的材料特性帶入二維奈米片電晶體討論元件特性。材料、閘極長度、電極交疊區域、介電層以及電子摻雜將被討論。我們發現相較於二硫化鎢，二硫化鉬會是較好的通道材料。至於介電層，因三氧化二鋁較二氧化矽有較低的遠程聲子散射，會是較好的介電層材料。電極交疊區域縮短以及摻雜能給電流帶來正面的效應。至於閘極長度的選擇，則要在縮短閘極的好處以及閘極控制力下降間來選擇。在眾多的參數間進行優化後，我們設計出一電晶體，其閘極長度七奈米，電極交疊區域一奈米，介電層為等效氧化層厚度 0.8 奈米之氧化鋁以及電子摻雜為 $4 \times 10^{13} \text{ cm}^{-2}$ 。此電晶體在操作電壓 0.65 伏以及截止電流為 $1 \times 10^{-4} \mu\text{A}/\mu\text{m}$ 下，開路電流可達 $495 \mu\text{A}/\mu\text{m}$ ，符合國際半導體技術發展藍圖於 2022 年對電流之要求。此外，其亦展現出良好的閘極控制能力。

關鍵字：二維材料、二硫化鉬、二硫化鎢、蒙地卡羅法、二維材料奈米片電晶體



English Abstract

Transport properties of MoS₂ and WS₂ are investigated by the Monte Carlo method. Intrinsic mobilities of MoS₂ and WS₂ are 171 cm²/V-s and 83 cm²/V-s . Besides, for the free-standing MoS₂ and WS₂, the valley energy separation between the K and Q valley is the critical factor influencing transport. However, if 2D materials are stacked in high- κ materials, remote phonon scattering becomes the most important scattering mechanism and degrades the performance of the material very much. In addition, 2D nanosheet transistors are discussed. Effects of the materials, the gate length (L_G), the length of the underlap region (L_{un}), dielectrics, and doping are studied. We found out MoS₂ is more suitable for the channel material. As for the dielectric, Al₂O₃ is better than HfO₂ due to the weak remote phonon scattering. L_{un} and doping can bring positive effects on on-current (I_{on}). The selection of L_G is a trade-off between shrinking and gate control. After optimization, maximum I_{on} happens at $L_G=7\text{nm}$, $L_{un}=1\text{nm}$, 0.8nm EOT of Al₂O₃ dielectric and n-type doping of $4 \times 10^{13} \text{ cm}^{-2}$. I_{on} can reach 495 $\mu\text{A}/\mu\text{m}$ when the supply voltage is 0.65V and off-current is $\times 10^{-4} \mu\text{A}/\mu\text{m}$, meeting the requirement of 2022 International Roadmap for Devices and Systems. Furthermore, it also demonstrates good gate

English Abstract

control and electrostatics.

Keywords: 2D material, MoS₂, WS₂, Monte Carlo Method, 2D nanosheet transistor





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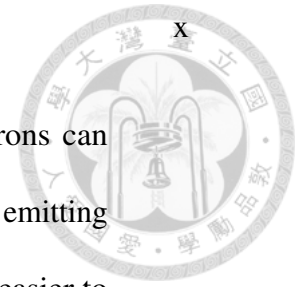
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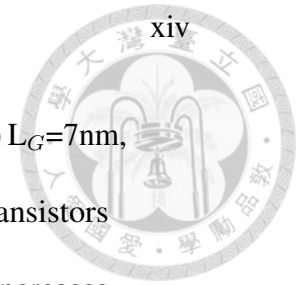
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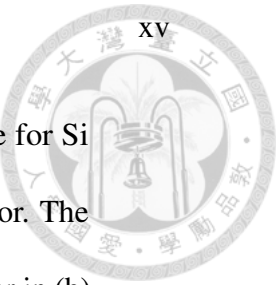
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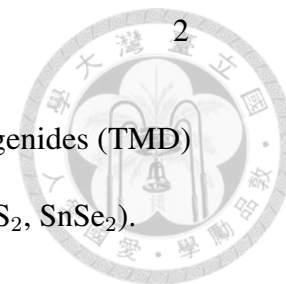
Chapter 1

Introduction

1.1 Overview of Two-dimensional Materials

Two-dimensional (2D) materials are materials that can exist in a stable monolayer. Nowadays, 2D materials have caught a lot of attention and been widely researched for more than ten years. The first 2D material, graphene, was discovered in 2004 [26]. Besides the advantage of thickness, it also has unique electronic and optoelectronic properties. In electronic properties, graphene has mobility of up to $1 \times 10^6 \text{ cm}^2/\text{V-s}$ and Dirac cone, which is ideal for applications of transistors or electrodes [27, 28]. As for optoelectronic properties, it is ideal for transparent electrodes to replace ITO due to their thickness of one atom. In addition, graphene can also provide many functions in photovoltaic devices like transparent contacts, a channel for charge transport, and catalysts [29]. When putting lots of efforts to exploit graphene, people also began to look for other 2D materials, like graphene-

like silicene, black phosphorus, hBN, Transition Metal Dichalcogenides (TMD) materials (e.g., MoS₂, PtSe₂), and other Dichalcogenides (e.g., SnS₂, SnSe₂).



1.2 Introduction and Applications of TMD Materials

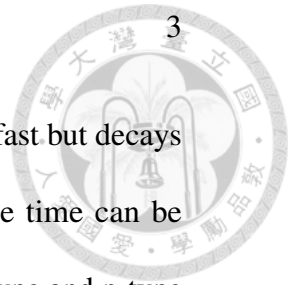
Although graphene is a good conductor, it has a limit of zero bandgaps to make transistors and specific optoelectronic devices. As a result, TMD materials are getting more popular. TMD materials have the composition of MX₂ (M=transition metal, X=S, Se, and Te) and have different structural phases. Unlike zero-bandgap graphene, TMD materials provide a wide range of bandgaps from metallic ones to semiconductors and electron affinities [30, 31], offering much more opportunities to design various kinds of electronic and optoelectronic devices.

Some TMD materials have bandgaps in the infrared and visible ranges, suitable for optic and optoelectronic applications [32]. To make optoelectronics, some researchers explored the optical and optoelectronic properties of TMD materials. Chen, S. F. calculated the absorption rate of MoS₂ and presented an idea of an intermediate band solar cell [33]. There are also papers exploring the possibilities of using TMD materials in gas sensors and photodetectors [34, 35]. Huo, Nengjie, et al. revealed that multilayer WS₂ nanoflake has high photosensitive characteristics. It also has different charge transfer phenomena between it and different gas molecules. The phenomena cause different photoelectrical properties in different gas environments. These properties provide the potential for gas sensors and photodetectors [36]. As for MoS₂, its photoresponse is relatively slow due to O and

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H₂O vacancies on the surface of MoS₂. Its photocurrent increases fast but decays very slow. However, by proper encapsulation, the photoresponse time can be under 10 ms [35]. Unlike n-type MoS₂ and WS₂, WSe₂ exhibits n-type and p-type depending on metals' work functions and also has a fast response time of 20 ms [35]. The examples mentioned above demonstrate the potential for optoelectronic applications in the future.

In addition, as the gate length (L_G) of silicon-based transistors goes under 20 nm, severe short channel effect has become an important factor to limit scaling down of L_G . It causes direct source-to-drain tunneling current and degrades gate control. It is known that heavier effective mass, larger bandgap, and lower in-plane dielectric can lower the influence of tunneling current. Fortunately, some TMD materials, like $\epsilon_{MoS_2} = 4$, have lower in-plane dielectric constants. MoS₂ also has an effective mass of 0.5 and a bandgap around 1.8 eV. For the reasons mentioned above, MoS₂ is expected to have better performance of suppression of off-state leakage current and is seen as a candidate for the next-generation transistor [37, 38, 39]. Nowadays, negative capacitance field-effect transistors (NCFETs) with MoS₂ have been proposed in researches. NCFETs use HfZrO₂ and AlO_x as gate dielectric and MoS₂ as the channel. NCFETs show great immunity to short channel effect even in the sub-5-nm device [38]. Due to the improved gate control caused by the ultrathin body, NCFETs demonstrate ultra-low subthreshold swing (SS) value of 23 mV/dec, sub 60 mV/dec over six orders of I_d modulation, on/off ratio as high as 10^9 , and gate leakage current of 1×10^{-13} A/ μ m [40]. Even under



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a switching frequency of 10 kHz, they show hysteresis-free steep switching and SS value of sub 60 mV/dec [40]. Although NCFETs still have lots of challenges, they show great potential for scaling and ultra-low power applications.

TMD materials have also been widely used in other electronic devices. For example, MoS₂ is used as the field-effect transistor driving HfO₂ oxygen vacancies or hBN RRAM in 1T1R configuration or 1T-nR configuration. Due to the larger bandgap of monolayer MoS₂, it increases the resistance of RRAM and then lowers off-state leakage current. Besides, it is so thin that nanoscale vias can be used to connect FETs in different memory layers, which is suitable for 3D monolithic integration. Low-temperature fabrication is also an advantage. The whole fabricated temperature is below 200°C [41, 42]. MoS₂ is also suitable for flexible nanoelectronics. It was deposited on commercially available paper substrates as a transistor channel. It demonstrated a high on/off ratio of 10⁹, mobility of 6 cm²/V-s, and durability of more than 10000 times of bending of 0.6 % strain [4]. With the advantage of the ultrathin body, TMD materials have been widely applied on not only NCFET but also large varieties of electronic devices. Besides devices, people try to integrate devices into a circuit. Li, Jiayi, et al. integrated two surface channel (TSC) transistors into 2T2R SRAM. Because TSC transistors can present AND or OR logic, and the original 6T SRAM can be simplified to be 2T2R SRAM. The SRAM also had stable read/write ability, showing feasibility in the future [43].

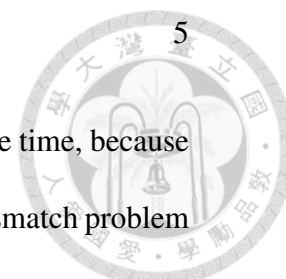
Besides, because of the complement properties of TMD materials and graphene, they can be combined into heterostructures to extract advantages of both materials.



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In this way, it is also possible to produce all-2D devices. At the same time, because of weak van der Waal bonds, heterostructures can skip the lattice mismatch problem [44]. Kim, Taesoo, et al. has used graphene/MoS₂ heterostructure in junction field-effect transistors (JFET). Because of the bandgap of MoS₂, there is a Schottky barrier height between the interface of the heterostructure. By modulating the Fermi level of graphene, effective Schottky barrier height is modulated and then activates current transport in the graphene channel. With a bandgap of MoS and excellent mobility of graphene, mobility of 100 cm²/V-s and on/off ratio of 10⁸ are measured in the JFET [45]. Up to now, heterostructure is still a popular topic to be explored.

In the early stage of researches, mechanical exfoliation was the most used approach to investigate properties of 2D materials. By mechanical exfoliation, monolayer 2D material is isolated from the bulk material with high-quality crystal. In addition, Huang, Yuan, et al. said the exfoliated area could be 20 – 60 times larger than the area in established exfoliation methods [46] with the addition of heat treatment. However, for the application of devices, large-scale synthesis methods with high quality, good uniformity, and high yield are necessary. So far, chemical vapor deposition (CVD) methods are commonly used because of their relative simplicity, diversity of precursors and fast growth rate [47]. Many papers have reported processes of growth of large-scale TMD materials through CVD. In 2012, Liu, Keng-Ku, et al. dip-coated (NH₄)₂MoS₄ precursor solution on Si/SiO₂ or sapphire substrates, followed by the two steps of high-temperature annealing. The



research showed that substrates and environments of annealing indeed had impacts on crystalline quality [48]. Different from solution-based deposition, others pre-deposited the metal on Si/SiO₂. Then, sulfur is exposed to the thin-film metal for sulfurization. The size of the thin film only depends on the size of the substrate. Hence, it is much easier to scale up [49]. There are also papers proposing wafer-scale CVD of monolayer TMD materials. Chen, Jiajun, et al proposed a 2-inch wafer-scale deposition of WS₂ by CVD and thermal evaporation [50]. Xu, Hu, et al. introduced multilayer layer MoS₂ islands to improve the quality of crystal and fabricated FET arrays with mobility of 70 cm²/V-s [51]. Many groups are still devoted to pursuing high-quality crystals. However, measured mobility of TMD in large-scale deposition and performance of devices is still under simulation's prediction [52]. One of the major reasons is the high density of defects in the crystal [50].

1.3 Simulation of the Transport Properties

Because high defect density suppresses the performance of devices, we still need better growth methods. Besides, real performances of TMD devices are still needed to be known. By simulation, we can evaluate the theoretical properties of TMD materials and understand the upper limit of devices. Table 1.1 shows the intrinsic mobility of the commonly-seen TMD materials, MoS₂ and WS₂ from the simulation and the experiment. There are two characteristics in table 1.1. Firstly, as the previous section said, the mobilities from the simulation are generally larger

Table 1.1: Intrinsic electron mobility of MoS₂ and WS₂ from the literatures

Material	Simulation μ_e (cm ² /V-s)	Experimental μ_e (cm ² /V-s)
MoS ₂	130 [53], 144 [54], 150 [55], 250 [57], 284 [58]	28 [37], 56 [56], 70 [51], 150 [59]
WS ₂	37 [60], 60 [54], 320 [52], 357 [58], 767 [60]	20 [61], 44 [62], 83 [63]

than that from the experiments. The characteristic comes from the high defect density in the crystal. Therefore, if we don't want the device performance to be affected by the defects, we should build the simulation model to get the real transport properties. Secondly, there are obvious differences in the mobilities from the different simulation literature. Hence, at the same time, we need to realize the critical factor influencing the transport by the simulation. Understanding the factor could provide some approaches to enhance the device performance in the future.

Some approaches can simulate electrical properties of materials, like the Boltzmann transport equation (BTE) and Monte Carlo method [64]. Firstly, BTE describes the distribution function of electrons under external perturbation. Under consideration of carrier diffusion, applied fields, and scattering, the distribution function will go steady. In the end, using relaxation time approximation, transport properties, like mobility, conductivity, or diffusion constants, under an electric field of 1 kV/cm can be calculated. Many papers have used this to calculate the low-field mobility and proved that charged impurities limit currently reported mobility in

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experiments [65]. Secondly, the Monte Carlo method is a numerical method that repeats random number sampling to simulate the phenomena, which are naturally probabilistic problems. When carriers transport materials, the process is also probabilistic. The whole transport contains a series of free flight and scattering events. In the simulation process, we need to select events according to probability repeatedly until the stop criteria appear. More details of how to select events are discussed in chapter 2. In the Monte Carlo Method, we can exert different electric fields to observe the flight and velocities without the limit of the low electric field. Therefore, we can extract high-field flight and saturation velocity by the approach. As devices scale down, electric fields in devices, especially transistors, are easy to be over 1 kV/cm. Hence, in the thesis, the Monte Carlo method is used to calculate the transport properties of MoS₂ and WS₂, such as mobility and saturation velocity. The results are discussed in chapter 3. When we simulate transport properties in materials, the scattering rate is of much importance. In the thesis, we use Fermi golden rule to calculate the scattering rate. Only by accurately estimating the scattering rate can we accurately calculate transport properties. More details of the calculation are discussed in chapter 2, and results are presented in chapter 3. After we know the transport properties of MoS₂ and WS₂, those parameters and the Monte Carlo model can be put into Poisson, Drift-Diffusion, and Schrodinger Solver (DDCC) developed by our lab to discuss devices.

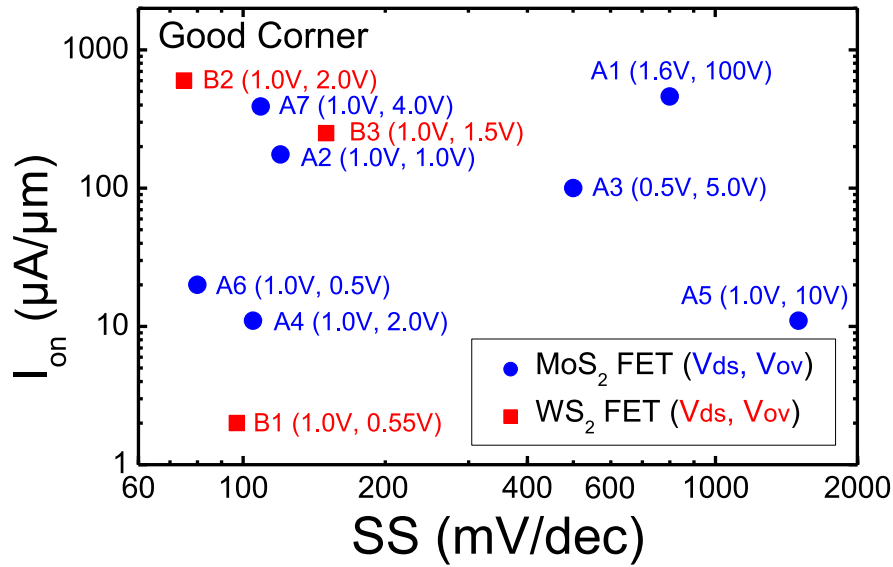
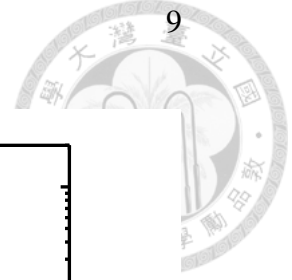


Figure 1.1: The current density and the SS value from the experimental literature. The blue circles, A1 to A7, represent the datas of the MoS₂ FETs [1, 2, 3, 4, 5, 6, 7] and the red squares, B1 to B3, represent the datas of the WS₂ FETs [8, 9, 10].

1.4 MoS₂ and WS₂ FET

Nowadays, many researchers are devoted to boosting the performance of the MoS₂ and WS₂ transistors. Figure 1.1 shows the current density and the SS values from the experimental literature. In the experiment, most of the V_{ds} and the gate drives are greater or equal to 1V to enhance the current. The phenomenon comes from the immature process of the two materials. Because of the immature process, it is hard to scale down the FET and keep the crystal quality good. Therefore, the performances of the MoS₂ and WS₂ FETs are experimentally worse than that of the Si devices. It is hard to know their potential for the next-generation transistors.

Consequently, we use the device simulation to scale down the channel length and neglect the degrading effect from the defects and get the true performance of the MoS₂ and WS₂ FETs in the future.

1.5 Gate-All-Around Nanosheet Transistor

Nowadays, with a shorter L_G in FET, gate control becomes more difficult. Replacing the planar FET, FinFETs are commonly used in chips to enhance gate control. However, when Moore's law goes under 5 nm technology node. Gate control of FinFET is not enough. Therefore, companies and researchers began adopting Gate-All-Around (GAA) or nanosheet FETs. With channel semiconductors surrounded

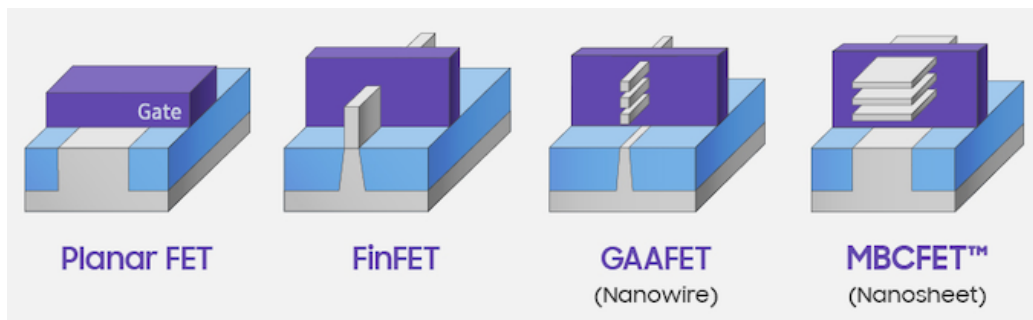


Figure 1.2: Evolution of the FET structure. (From Samsung website)

by gate metal and dielectrics, these new types of FETs can provide better gate control. Figure 1.2 shows the evolution of FETs. In 2017 VLSI, IBM and Samsung published stacked nanosheet GAA transistors. Their SS value and DIBL achieved 75 mV/dec and 32 mV/V at $L_G=12\text{nm}$ [66]. Figure 1.3 shows the I_D-V_G transfer curves and cross-section view of the stacked nanosheet GAA transistors. Intel also

published 3D-stacked NMOS-on-PMOS nanoribbon transistors in 2020 IEDM [16]. In 2021, IBM has claimed they have finished 2nm chip technology by nanosheet technology, chips can achieve 45 percent higher performance and 75 percent lower energy use than worldwide most advanced 7 nm technology chips.

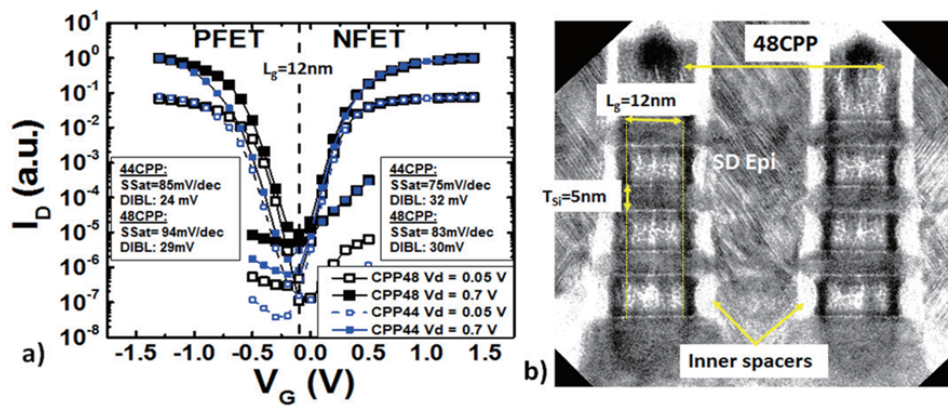


Figure 1.3: (a) I_D - V_G transfer curves and (b) cross-section of the IBM and Samsung nanosheet GAA transistor.

With a very thin layer, MoS_2 can also be integrated into nanosheet transistors. In 2020 IEDM, Huang, Xiaohe, et al proposed 2-levels-stacked multi-bridge channels FET. With two nanosheet channels stacked between gates, this GAA-like transistors have SS values of nearly 60 mV/dec [67]. With the advantages of better gate control, 2D nanosheet transistors have the potential to be future transistors. Therefore, we discussed 2D nanosheet FETs and investigated the gate control and the current of the 2D nanosheet structure in chapter 4. Consequently, we optimized the 2D nanosheet transistors to meet the requirement of the International Roadmap for Devices and Systems (IRDS) for the future technology.

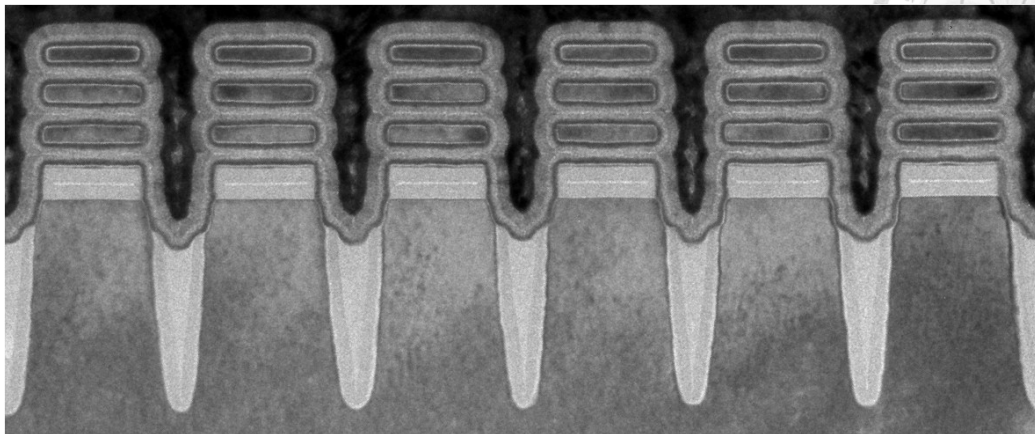


Figure 1.4: Cross section of the nanosheet FETs of IBM 2nm chip. (Figure comes from IBM website)

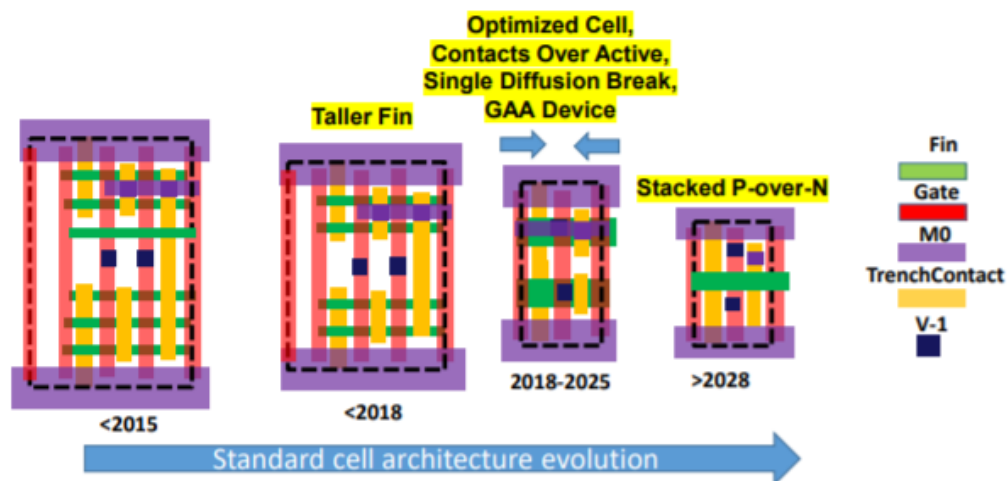


Figure 1.5: Scaling of the standard cell [11].

1.6 International Roadmap for Devices and Systems

The IRDS is a set of predictions of trends about devices, systems, and related technologies for the future fifteen years [11]. The roadmap shows the requirements for the future logic technologies to sustain Moore's scaling law. Table 1.2 shows

Table 1.2: IRDS roadmap ($V_{TH,sat}$ and I_{on} are set at $I_{off}=100$ pA/ μ m) [11]

Year	2020	2022	2025	2028	2031	2034
Industry Node (nm)	5	3	2.1	1.5	1	0.7
Device Architectures						
Device Structure	FinFET	FinFET	GAA	GAA	3DGAA	3DGAA
Gate Length L_G (nm)	20	18	14	12	12	12
Device Electrical Specs						
Supply Voltage V_{dd} (V)	0.7	0.7	0.65	0.65	0.6	0.55
SS value (mV/dec)	72	75	63	68	65	65
$V_{TH,sat}$ (mV)	345	363	312	341	326	326
R_{sd} (ohm- μ m)	285	271	257	244	232	221
I_{on} (μ A/ μ m)	484	495	546	521	459	347
Energy per switch (fj)	0.66	0.65	0.49	0.47	0.40	0.33

parts of the requirements of the device architectures and the device electrical specifications. As the previous section mentioned, the device structure will transit from FinFET to GAA FET to improve the electrostatics. Furthermore, after 2028, 3D GAA FET might become the mainstream with PMOS and NMOS stacked together, as shown in figure 1.5.

Besides the transition of the structure, the new electrical specifications of the device are also needed. To pursue lower power consumption, the supply voltage

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(V_{dd}) is also reduced. With the reduced V_{dd} , the gate drive is also reduced at the same time. SS value is requested to remain low to sustain the gate drive. In addition, reducing contact resistance (R_{sd}) can also bring benefits to the performance. As for the current density, the leakage current (I_{off}) target is under 100 pA/ μm for the low-power applications. In the thesis, we will operate the 2D nanosheet transistor at $V_{dd}=0.65\text{V}$ and $I_{off}=100\text{ pA}/\mu\text{m}=1\times 10^{-4}\text{ }\mu\text{A}/\mu\text{m}$ to follow the IRDS requirement. Furthermore, the current density of the device will be compared with the I_{on} of the IRDS. In this way, we investigate whether the current density of the 2D nanosheet transistor is qualified for future technology.



Chapter 2

Methodology

2.1 Overview

In the chapter, we first describe the scattering rate and scattering mechanisms involved in the Monte Carlo method. Afterward, we introduce the multi-valley Monte Carlo method. This approach is used to calculate steady velocities and transient velocities of MoS₂ and WS₂. Subsequently, Monte Carlo method and Poisson-and-drift-diffusion model are combined to simulate the devices. In the end, the device simulation software 2D-DDCC will be briefly introduced. Investigation of devices in chapter 4 is by the simulation software.

2.2 Scattering Mechanism and Scattering Rate

Due to lattice vibration and lattice imperfection, carriers don't transport in perfect periodic structures. When carriers go through those imperfections, they are

deflected from its original trajectory into the new direction. The phenomenon is called scattering. As those imperfections are small, scatterings can be seen as perturbation. When those scatterings are seen as a perturbation, Fermi's golden rule is used to calculate the rate of scatterings, which is called the scattering rate. Fermi's golden rule can be written as

$$W(k) = \frac{2\pi}{\hbar} \sum_{k'} |M_{kk'}| \delta(E_k - E_{k'}), \quad (2.1)$$

where $W(k)$ is the scattering rate when the carrier is at the momentum of k , $M_{kk'}$ is the scattering matrix element, E_k is the energy of the initial state and $E_{k'}$ is the energy of the final state. There are two groups of scattering mechanisms, elastic scattering, and inelastic scattering. Elastic scattering indicates that in the process, energy is conserved. This group contains acoustic phonon scattering. On the other hand, the process of inelastic scattering involves the emission and absorption of energy. This group consists of optical deformation potential phonon scattering and acoustic deformation potential phonon scattering. In the thesis, both groups of mechanisms are included to discuss the scattering rates of MoS₂ and WS₂. With these scattering rates, we can realize the effect of those imperfections on the transport of carriers. In the following sections, some important scattering mechanisms in TMD materials are listed and explained.



2.2.1 Acoustic Phonon Scattering

In the real crystal, atoms are not stationary in their positions. They vibrate like springs around their equilibrium positions. As atoms deviate from equilibrium, they cause strain in the crystal. Strain, in turn, influences the electronic states and results in strain energy. Phonon is proposed as a kind of particle to consider the effect of strain energy. Scatterings caused by lattice vibration are seen as a collision of electrons and phonons. Generally, as shown in figure 2.1, there are two phonon types: acoustic phonon and optical phonon. They respectively represent different modes of lattice vibration. When atoms in the unit cell move in the same direction, the derivative of displacement results in strain energy. Acoustic phonon is used to describe the phenomenon. Perturbation potential induced by the in-phase movement is given by

$$U_{ac} = D_{ac} \frac{\partial u}{\partial x} \quad (2.2)$$

where D_{ac} is the deformation potential in a specific valley for acoustic phonons and $\frac{\partial u}{\partial x}$ is the derivative of displacement of two atoms.

In figure 2.1(b) [53], LA, TA, and ZA represent acoustic phonon branches of MoS₂. As shown in figure 2.1(b), when acoustic phonon momentum $q=0$, phonon energy is very small. When the material is under room temperature, we can see acoustic phonon scattering as elastic phonon scattering. In the thesis, we combine Eq. (2.1) and Eq. (2.2). After organization, acoustic phonon scattering rate is

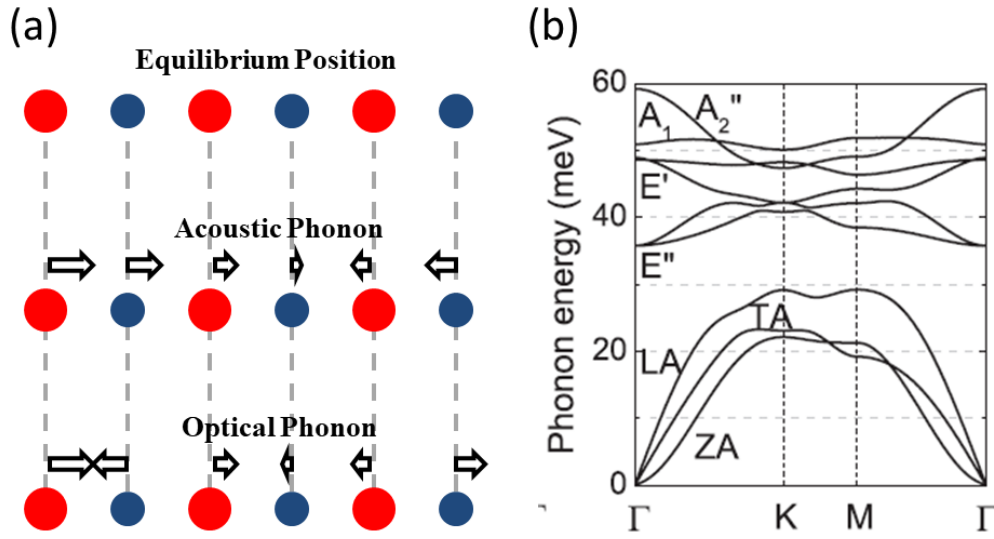


Figure 2.1: (a) Schematic diagram of lattice vibration of acoustic phonon and optical phonon (b) Phonon dispersion of MoS₂

described by

$$W_{ac}(k) = \frac{\pi k_B T D_{ac}^2}{\hbar \rho v_{ac}^2} N_{2D}(E_k) \quad (2.3)$$

where k_B is Boltzmann constant, T is temperature, $N_{2D}(E_k)$ is the density of state of the energy level of E_k , ρ is the mass density of 2D material, v_a is sound velocity.

Due to small energy transfer, acoustic phonon scattering is the dominant scattering mechanism under low electric field or low electron energy.

2.2.2 Optical Phonon: Deformation Potential Scattering

Unlike the vibration mode of acoustic phonon, optical phonon happens when two atoms vibrate against each other. Energy perturbation caused by strain also appears and is proportional to the atomic displacement. Based on deformation potential

theory, perturbation potential can be described as

$$U_{dp} = D_{dp}u \quad (2.4)$$

where D_{dp} is the deformation potential of optical phonon, and u is the relative displacement of two atoms. The energy perturbation results in deformation potential scattering. As shown in figure 2.1(b), A1, A2'', E', and E'' represent optical phonon branches. When q is near 0, phonon energy is still not zero. Zero phonon energy indicates the process of electron and phonon interaction needs energy absorption or energy emission. With perturbation energy in Eq. (2.4), Eq. (2.1) can be written as

$$W_{dp}(k) = \frac{\pi D_{dp}^2}{2\rho\omega_o} \left[n(\omega_o) + \frac{1}{2} \mp \frac{1}{2} \right] N_{2D}(E_k \pm \hbar\omega_o) \quad (2.5)$$

2.2.3 Intervalley Phonon Scattering

As there are a variety of valleys in the band structure, carriers can transfer from one valley to another. As carriers scatter from valley to valley, the interaction is similar to deformation potential. The intervalley phonon scattering process needs to fulfill energy conservation when electrons absorb and emit phonon. Intervalley scattering rate can be written as

$$W_{ac/dp} = \frac{\pi D_{ac/dp}^2}{2\rho\omega_o} \left[n(\omega_{ac/dp}) + \frac{1}{2} \mp \frac{1}{2} \right] N_{2D}(E_k \pm \hbar\omega_{ac/dp}) \quad (2.6)$$

where footnotes "ac" or "dp" represent the phonon type involved in intervalley scattering. Figure 2.2 shows intervalley phonon scattering happening in MoS₂. As electrons absorb or emit phonon, they can scatter from K valley to satellite Q



valleys. In addition, electrons can also scatter from Q valley back to K valley in this way.

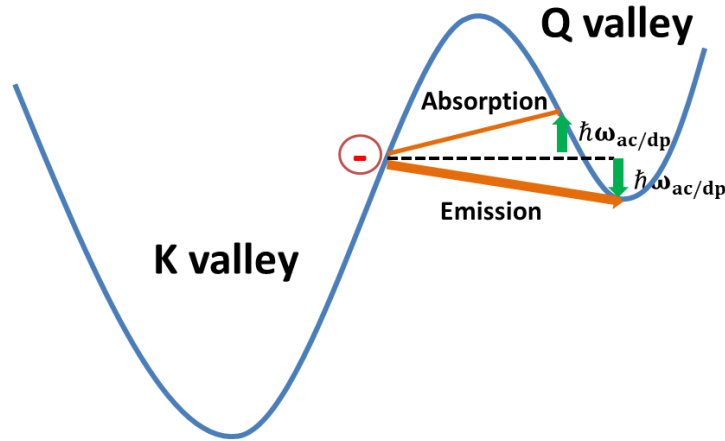


Figure 2.2: Intervalley phonon scattering process in MoS₂. Electrons can scatter from K valley to satellite Q valleys by absorbing or emitting phonon. As electrons get higher energy, they are much easier to have the K-to-Q intervalley phonon scattering.

2.2.4 Remote Phonon Scattering

When dielectric layers around 2D materials support polar vibrational modes, electrons in 2D materials excite phonon in those dielectrics via long-range Coulomb interactions. The phonon scattering is called "remote phonon scattering" or "surface-optical phonon scattering." Nowadays, when investigating the performance of 2D-material-based FET, remote phonon scattering plays a key role to affect transport [68, 69]. The process of remote phonon scattering is inelastic and has strong relationships with types of surrounding materials. The electron-phonon coupling

strength F^2 is

$$F^2 = \frac{\hbar\omega_{so}}{2A\epsilon_o} \left(\frac{1}{\epsilon_{tox}^\infty + \epsilon_{box}^\infty} - \frac{1}{\epsilon_{tox}^o + \epsilon_{box}^o} \right), \quad (2.7)$$

where $\hbar\omega_{so}$ is phonon energy of remote phonon mode, ϵ_{tox}^∞ is the high-frequency permittivity of the top oxide, ϵ_{box}^∞ is the high-frequency permittivity of the bottom oxide, ϵ_{tox}^o is the low-frequency permittivity of the top oxide, and ϵ_{box}^o is the low-frequency permittivity of the bottom oxide. If there are two remote phonon modes in materials, F^2 can be rewritten as [69]

$$F_1^2 = \frac{\hbar\omega_{so,1}}{2A\epsilon_o} \left(\frac{1}{\epsilon_{tox}^{int} + \epsilon_{box}^{int}} - \frac{1}{\epsilon_{tox}^o + \epsilon_{box}^o} \right), \quad (2.8)$$

$$F_2^2 = \frac{\hbar\omega_{so,2}}{2A\epsilon_o} \left(\frac{1}{\epsilon_{tox}^\infty + \epsilon_{box}^\infty} - \frac{1}{\epsilon_{tox}^{int} + \epsilon_{box}^{int}} \right), \quad (2.9)$$

where ϵ_{tox}^{int} is intermediate permittivity of the tox oxide and ϵ_{box}^{int} is intermediate permittivity of the bottom oxide. The frequency of remote phonon mode ω_{so} is [70, 69]

$$\omega_{so,1} = \omega_{TO,1} \sqrt{\frac{\epsilon_{tox}^o + \epsilon_{box}^\infty}{\epsilon_{tox}^{int} + \epsilon_{box}^\infty}} \quad (2.10)$$

$$\omega_{so,2} = \omega_{TO,2} \sqrt{\frac{\epsilon_{tox}^{int} + \epsilon_{box}^\infty}{\epsilon_{tox}^\infty + \epsilon_{box}^\infty}}. \quad (2.11)$$

$\omega_{TO,1}$ and $\omega_{TO,2}$ are transverse optical-phonon frequencies in the dielectric. Scattering rate W_{so} is





$$W_{so}(k) = \frac{2\pi}{\hbar} \frac{1}{4\pi^2} \int \frac{e^2 F^2}{\epsilon(q, \omega)^2} \frac{\exp(-qd)}{2q} \left[n(\omega_o) + \frac{1}{2} \mp \frac{1}{2} \right] \delta(E_k - E_{k'} \pm \hbar\omega_{so}) dk' \quad (2.12)$$

q is wave vector $|q_k - q_{k'}|$, d is the thickness of 2D materials, and $\epsilon(q, \omega)$ is the static screening of the 2D material, which is described as

$$\epsilon(q, \omega) = 1 + v_c(q) \Pi(q, \omega), \quad (2.13)$$

where v_c is $\frac{e^2}{2\kappa q}$, $\hat{\kappa}$ is $\frac{\epsilon_{tox}^o + \epsilon_{box}^o}{2}$ and we approximate $\Pi(q, \omega)$ as $\frac{m}{\pi\hbar^2}$

2.3 Multi-valley Monte Carlo Method

2.3.1 Monte Carlo Method

The Monte Carlo method is a statistical approach to simulate random events. In the Monte Carlo method, random numbers are generated to simulate the real physical phenomenon of probabilistic nature, like carrier transport in materials[64]. Figure 2.3 is the schematic diagram of electron transport in the material. As an electric field is exerted on the material, it exerts an electric force on the electron. At the same time, the electron is accelerated. The electron begins to fly in the direction of the electric field. However, during flight, the electron will also scatter by phonon or other charged particles, like impurity. When scattering happens, the transport of the electron is influenced and momentum, and velocity are changed. After scattering, the electron will transport the material with the new momentum and velocities until the subsequent scattering happens. In the whole process, flight intervals between

two scattering events and states after scattering are probability problems. Hence, we can use the Monte Carlo method to generate random numbers to simulate the whole process and know the electron transport properties.

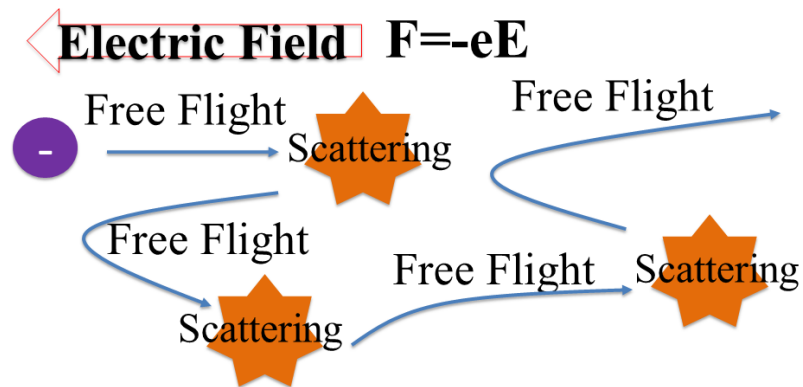


Figure 2.3: Schematic diagram of carrier transport in material.

The detailed steps of the Monte Carlo method are shown in figure 2.4. First of all, an electric field is exerted providing electric force to the electron. Secondly, according to the newly generated random number, the flight interval is decided. Afterward, the electron will fly for the flight interval. Thirdly, scattering mechanisms discussed in the previous section are included. A random number is generated to select a scattering event. If a scattering mechanism has a larger scattering rate, it has more chances to be selected. Fourthly, the final state of the electron after scattering event is decided by the selected scattering and newly generated random number. In the end, new momentum, carrier energy, velocities, and flight distance during the flight interval are determined and recorded. Subsequently, repeat the whole process until the condition, like total flight time or total flight distance, we set are fulfilled. The five steps mentioned above are the process of simulating

an electron. Hundreds of times of the process should be conducted to know the transport properties of carriers. In this way, the average velocities of carriers and mobilities will be known. In the thesis, to discuss mobilities and saturation velocities, the strength of electric fields ranges from 1×10^2 V/cm to over 4×10^5 V/cm. In addition, the carrier flies for 0.02 cm to make sure the carrier is in a steady state and not affected by the bias of random numbers. By these settings, field-dependent velocities are extracted.

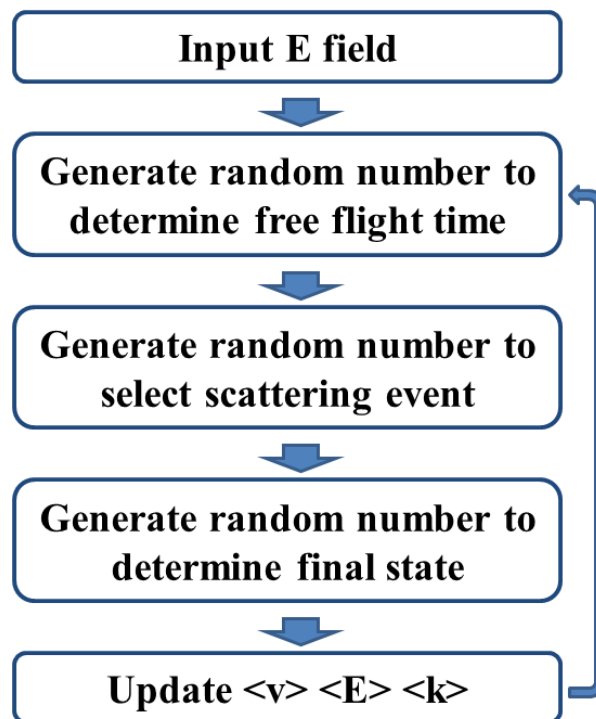


Figure 2.4: Flow chart of Monte Carlo method.

2.3.2 Multi-valley and non-parabolic band conditions

In the study of MoS₂ and WS₂, the lowest valley in the conduction band is located in the K point of the hexagonal Brillouin zone. With symmetry of hexagon, there are two K-like valleys, K and K' valleys, respectively. Figure 2.5(a) shows the first Brillouin zone. Intervalley acoustic phonon scattering and intervalley optical phonon scattering happen between the two valleys. In addition, there are six satellite Q valleys around K valleys and with energy difference under 100 meV. As a result, those satellite valleys may cause strong phonon scattering between them. As a result, multi-valley Monte Carlo was adopted to deal with the effect of those satellite valleys in transport. Figure 2.5(b) shows the inter-valley scattering mechanism from K valley. By multi-valley model, the whole Brillouin zone is simplified into two kinds of valleys, which are the main factors to influence the transport.

To simplify the process of simulation, non-parabolic approximation

$$E(1 + \alpha E) = \frac{\hbar^2 k^2}{2m^*} \quad (2.14)$$

is used to describe K and Q valleys. With Eq. (2.14), we can use effective mass to describe low energy bands and α to represent non-parabolic conditions of bands at high electron energy. Besides, Eq. (2.14) is mainly used to describe the isotropic valley, which has no evident difference in different transport directions. If the valley is anisotropic, Eq. (2.14) can be converted into

$$E(1 + \alpha E) = \frac{\hbar^2 k_x^2}{2m_x^*} + \frac{\hbar^2 k_y^2}{2m_y^*} \quad (2.15)$$

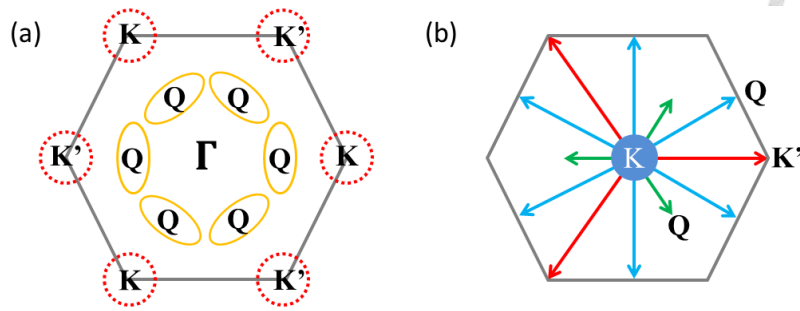
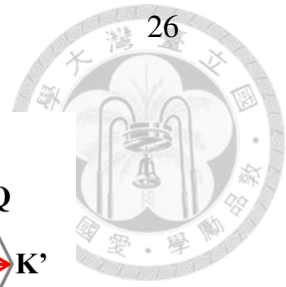


Figure 2.5: (a) K valleys and Q valleys in the first Brillouin zone. (b) Intervalley scattering from K valleys to neighboring K' valleys and satellite Q valleys. In figure(a), there is one K valley and a symmetrical K-like valley, K' valley, and six Q valleys in the first Brillouin zone. The lowest conduction band is located in either K or K' valley. In figure(b), the green and blue lines represent the K-to-Q inter-valley scattering mechanism. The red line represents K-to-K' inter-valley scattering mechanism.

2.3.3 Transient Transport Calculation

When transistors scale down, carriers in the channel are facing an electric field over 1×10^6 V/cm. When carriers pass a short channel with such a large electric field, overshoot transport happens [71]. When overshoot transport happens, carriers transport through the channel with a less scattering process. The whole process is like ballistic transport. Therefore, when we discuss a channel that is shorter than 20 nm, field-dependent mobility in steady-state is not proper to describe the transport properties. Transient velocities of electrons should be considered. With the Monte Carlo method, not only steady transport properties but transient velocities can be calculated. The calculation of the transient transport will combine both the Monte Carlo method and the Poisson-and-drift-diffusion model. More detail will



be discussed in section 2.4.



2.4 Monte Carlo, Poisson and Drift-Diffusion Model

2.4.1 Poisson and Drift-Diffusion Model

The Poisson equation is used to describe the relationship between carrier distribution in the device and potential. Poisson is

$$\nabla D = -\frac{1}{q} \nabla \epsilon \nabla E_c = q(N_A^- - N_d^+ + n - p + N_{trap}^\pm) \quad (2.16)$$

where D is electric potential, E_c is electron potential, N_A^- is the doping concentration of the acceptor, N_d^+ is the doping concentration of the donor, n is the concentration of electron, p is the concentration of hole, and N_{trap}^\pm is concentration of trap. As source voltage bias is applied on the device, carrier distribution will change and there is the tilt of bands in the device. As current appears, we can use the drift-diffusion model to calculate the current. The drift-diffusion model is in equations

$$J_n = q\mu_n n \nabla V + qD_n \nabla n, \quad (2.17)$$

$$J_p = q\mu_p p \nabla V - qD_p \nabla p, \quad (2.18)$$

where J_n is electron current density, μ_n is electron mobility, D_n is the electron diffusion coefficient, J_p is hole current density, μ_p is hole mobility, and D_p is the hole diffusion coefficient. Eq. (2.17) consists of two parts. One is $q\mu_n n \nabla V$ representing drift current in the device. Drift current comes from the acceleration

of the electric field in the device and is proportional to the gradient of electric potential ∇V . The other one is $qD_n \nabla n$ representing diffusion current in the device and is proportional to difference of electron concentration. Eq. (2.18) describes in the same thing. When we know the electric field and carrier distribution in the device, the total current can be solved with these equations.

2.4.2 Monte Carlo, Poisson and Drift-Diffusion Model

We combine the Monte Carlo method into the Poisson-and-drift-diffusion model to consider the transient velocities. Firstly, we construct the material parameters and field-dependent velocities by the Monte Carlo method. Secondly, we solve the simulation model in the Poisson-and-drift-diffusion solver to get the distribution of the electric field along the channel. Thirdly, the distribution of the electric field is extracted and put into the Monte Carlo model to simulate the transient velocities. The electric field input of the Monte Carlo method varies with the position in the calculation of the transient velocities. Then, we calculate the electron velocities of the different positions in the channel and get the position-dependent velocities. The position-dependent velocities are the transient velocities. Then, transient velocities are put into the Poisson-and-drift-diffusion solver to get the new distribution of the electric fields. Afterward, the electric field from the Poisson-and-drift-diffusion solver and the transient velocities from the Monte Carlo method are calculated iteratively until the conduction band from the Poisson-and-drift-diffusion solver converges. In this way, the transient velocities are considered

in the device simulation.

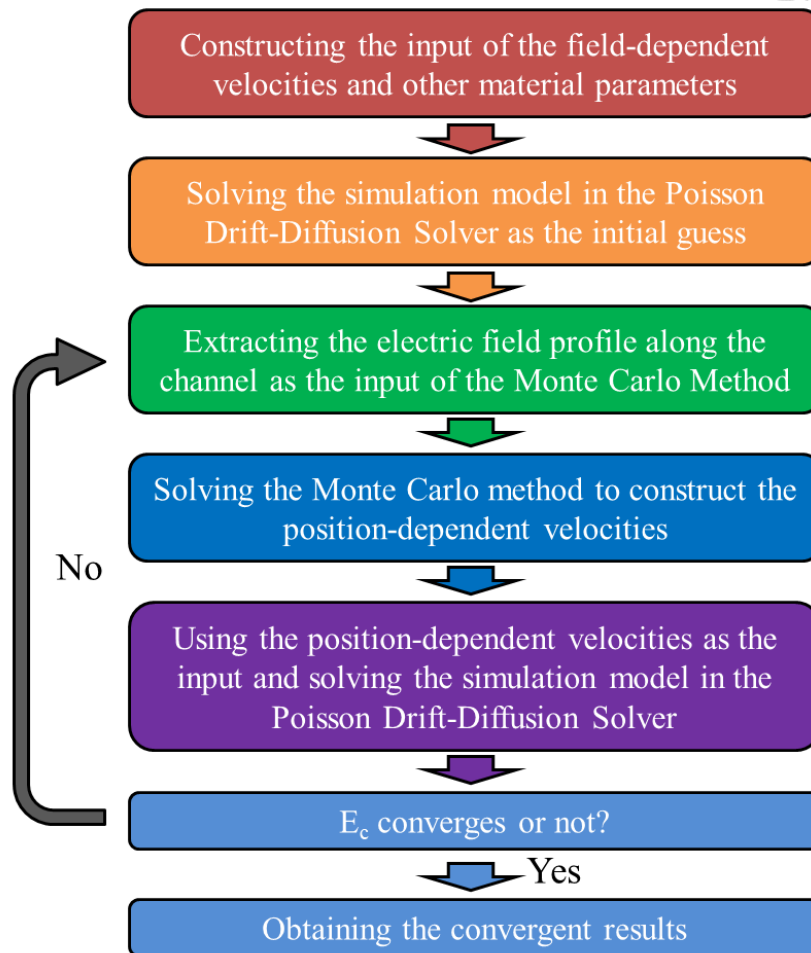


Figure 2.6: Flow chart of the Monte Carlo, Poisson and Drift-Diffusion Model.

2.4.3 Two Dimensional Poisson, Drift-Diffusion, and Schrodinger Solver

All calculation of the Poisson-and-drift-diffusion model is executed in Two Dimensional Poisson, Drift-Diffusion, and Schrodinger Solver (2D-DDCC). 2D-DDCC is a software developed by Professor Yuh-Renn Wu and his lab, optoelectronic

2. Methodology

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device simulation laboratory. The software is developed to describe optoelectronic and electronic devices ranging from LED, Solar Cell, LASER, 2D material-based transistors, etc [72, 73]. Besides 2D-DDCC, Professor's team has also developed the 1D-DDCC and the 3D-DDCC model. All three software have been applied on many devices, and results are published in SCI papers. In the thesis. to discuss transistors, 2D-DDCC is used to simulate the 2D nanosheet transistor.



Chapter 3

Transport Properties of MoS₂ and WS₂

3.1 Overview

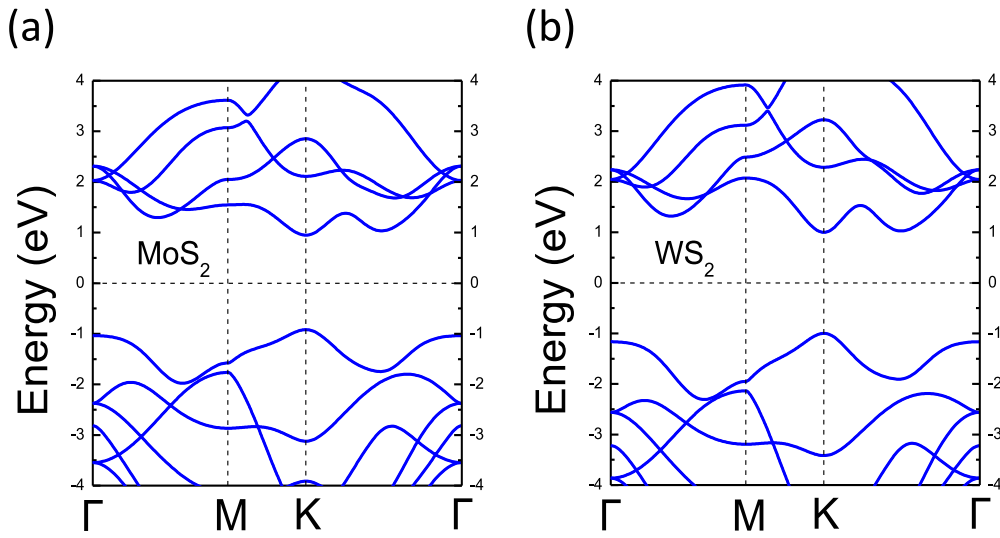
In the chapter, fundamental transport properties have been studied. Firstly, band structures of MoS₂ and WS₂ are calculated in QuantumATK, a density functional theory (DFT) software [74]. After getting band structures, acoustic phonon scattering and deformation potential scattering are calculated in section 3.3. Both phonon scattering mechanisms are intrinsic properties of materials, which naturally exist in every material. Hence, we call them intrinsic transport properties. The properties mainly dominate transport under low concentrations of impurities and carriers. Without the impurities and remote phonon effect, it is the upper limits of transport properties of materials. After the discussion of intrinsic transport

properties, those properties are going to be used in devices. Furthermore, with the monolayer structure stacked between two dielectric layers, transport properties are significantly influenced by the remote phonon scattering. Hence, remote phonon scattering will be discussed in section 3.4.

3.2 Band structure

3.2.1 Band structure by DFT

In the study, the geometry structure and band parameters come from DFT. LCAO calculator is used with local density approximation as an exchange correction function. The calculation is conducted in QuantumATK software. The crystal geometry is optimized until the atomic force decreases to values less than 0.005 eV/Å. In addition, to make sure each layer of MoS₂ in the repeated unit cell won't interact with each other, the vacuum region is set to be 40 Å. Calculated lattice constants of MoS₂ and WS₂ are 3.12 Å and 3.123 Å, respectively. With the optimized structure, band structures are calculated and shown in figure 3.1. Bandgaps are 1.87 eV in MoS₂ and 1.99 eV in WS₂. Lattice constants and bandgaps are in agreement with the results previously reported [75]. Besides the bandgap, the energy difference between K and Q valleys (ΔE_{KQ}) and effective mass are also known. Table 3.1 shows the fundamental parameters from DFT.

Figure 3.1: (a) Band structure of MoS₂. (b) Band structure of WS₂.Table 3.1: Fundamental parameters of MoS₂ and WS₂ from DFT

Material	Lattice (\AA)	Bandgap (eV)	$\Delta E_{KQ}(\text{meV})$
MoS ₂	3.12	1.87	84.6
WS ₂	3.123	1.99	27.7

3.2.2 Band structure fitting

In the multivalley Monte Carlo model, the non-parabolic approximation is used to catch the E-K relation of the two materials. Due to nearly isotropic properties in K valleys of the two materials, Eq. (2.14) is used. As for Q valleys, with anisotropic energy surface, Eq. (2.15) is used. Table 3.2 shows the fitted parameters. Figures 3.2 and 3.3 show the comparison of the DFT original data and fitted data.

Table 3.2: Fitted effective mass and non-parabolic parameter, α of K and Q valleys inMoS₂ and WS₂

Material	m_K (m_o)	α_K (1/eV)	m_Q (m_o)	α_Q (1/eV)
MoS ₂	0.51	1.2	$m_x=0.56$ $m_y=0.88$	0.5
WS ₂	0.32	0.8	$m_x=0.65$ $m_y=0.64$	0.5

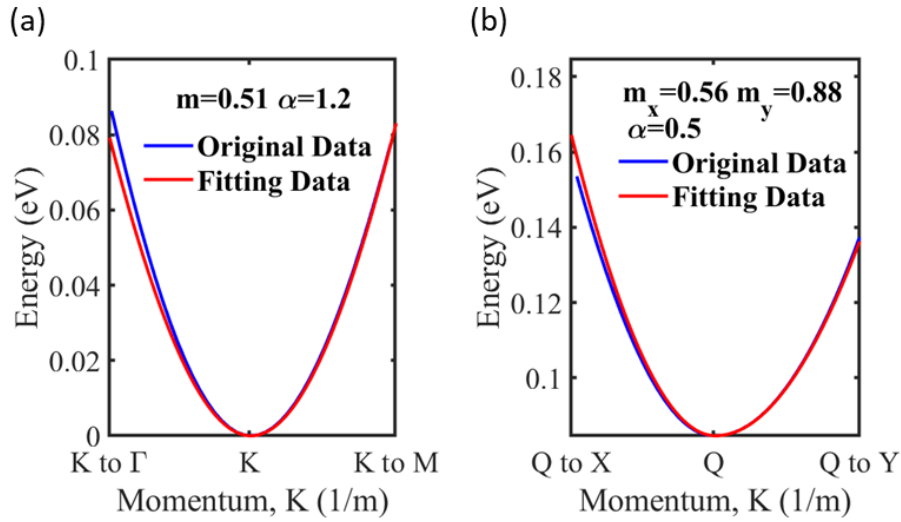


Figure 3.2: (a) Fitting of K valley in MoS₂. (b) Fitting of Q valley in MoS₂. Blue lines represent the original data from the band structures, and red lines are fitting curves of the E-K relation with non-parabolic Eq. (2.14) or Eq. (2.15).

3.3 Intrinsic Electrical Transport Properties

Intrinsic electrical transport properties of MoS₂ and WS₂ are decided by the phonon scatterings, including acoustic phonon scattering, optical phonon scattering, and intervalley scattering. In the section, scattering rates mentioned above were

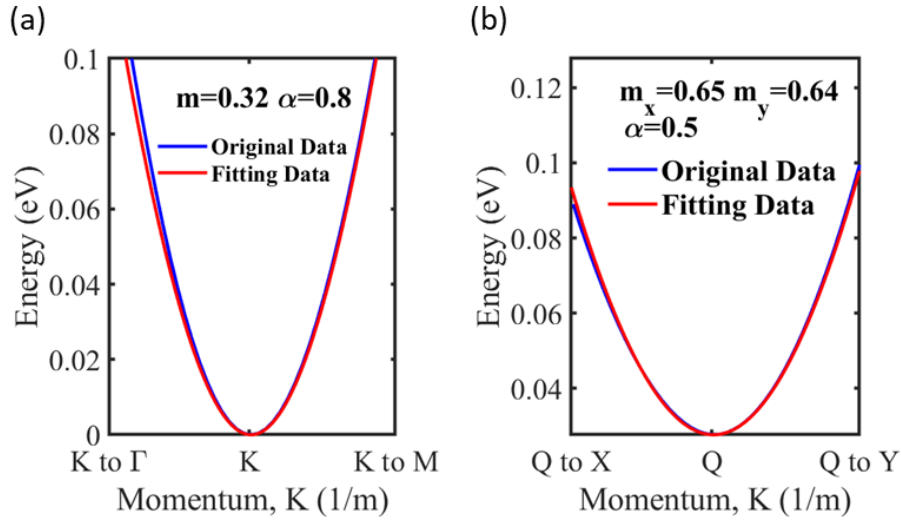


Figure 3.3: (a) Fitting of K valley in WS₂. (b) Fitting of Q valley in WS₂. Blue lines represent origin data from band structures, and red lines are fitting curves of E-K relation with non-parabolic Eq. 2.14 and Eq. 2.15.

discussed and results were put into the Monte Carlo method to see the mobilities and field-dependent velocities of both materials. We used deformation potentials and phonon energies from [52] and [75] to calculate the scattering rate. The detailed deformation potential constants and phonon energies are listed in Appendix A.

Figure 3.4 shows the calculated results of the scattering rate of MoS₂. In figure 3.4(a), there are two apparent jumps in the total scattering rate. The first one is located at 48meV, and the second one is located at 110meV. When the electron energy is under 110 meV, intravalley scatterings, including acoustic phonon scattering and optical deformation potential phonon scattering, dominate the total scattering rate. When the electron energy is under 48meV, the acoustic phonon is dominant. When electrons reach 48meV, they begin to be scattered by emitting optical phonon

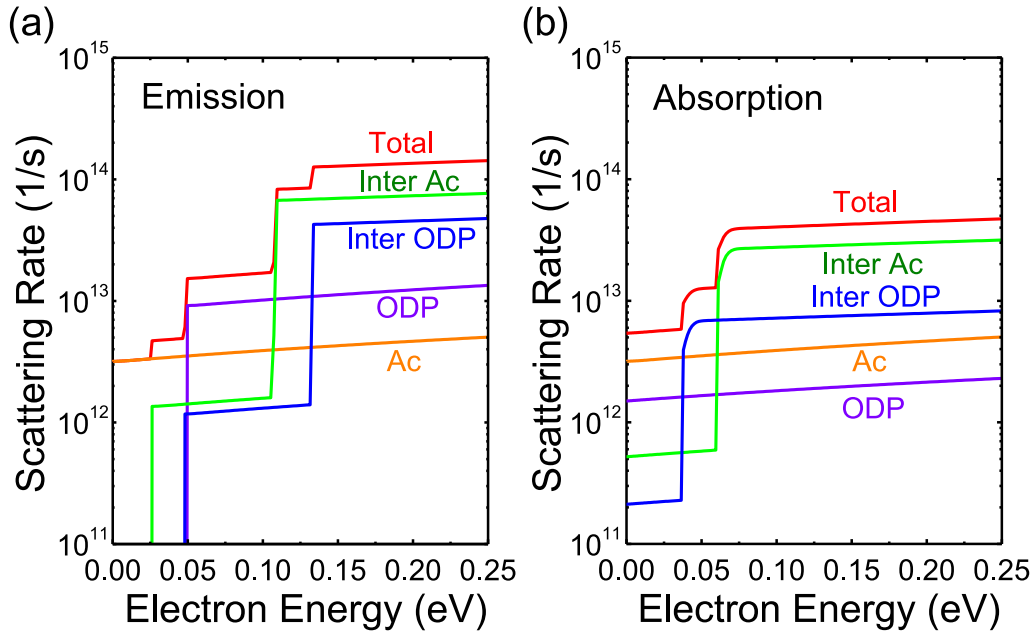


Figure 3.4: Electron-phonon scattering rates in MoS₂ via (a) emission and (b) absorption of phonons calculated at room temperature. The orange and purple lines represent acoustic phonon scattering rate and optical deformation potential phonon scattering rate. The green and blue lines represent intervalley scattering rates caused by acoustic phonon and optical deformation potential phonon. The red line indicates the total scattering rates of all mechanisms.

and to the state with lower energy. With optical phonon scattering happening, the total emission scattering rate has a jump from $3 \times 10^{12} \text{ s}^{-1}$ to $1 \times 10^{13} \text{ s}^{-1}$ at the energy of 48 meV. Consequently, the first jump appears. Furthermore, when the electron energy is above 110 meV, the intervalley scattering comes into play, and the total scattering rate significantly increases over $1 \times 10^{14} \text{ s}^{-1}$, which is ten times larger than the intravalley scattering rate. Because of the significant increase in the total scattering rate, the second jump happens at 110 meV in figure 3.4(a). In

addition, the intervalley scattering consists of K-to-K' intervalley scattering and K-to-Q intervalley scattering. K valley and K' valley have the same energy level, so K-to-K' intervalley scattering activates at 26 meV, which corresponds to acoustic phonon energy with the momentum of K. If electrons gain enough energy, K-to-Q intervalley scattering happens. With six satellite Q valleys around K valley, K-to-Q intervalley scattering works strongly and dominates the whole transport process. Figure 3.4(b) shows the same results. The difference is that this kind of scattering happens via the absorption of phonon.

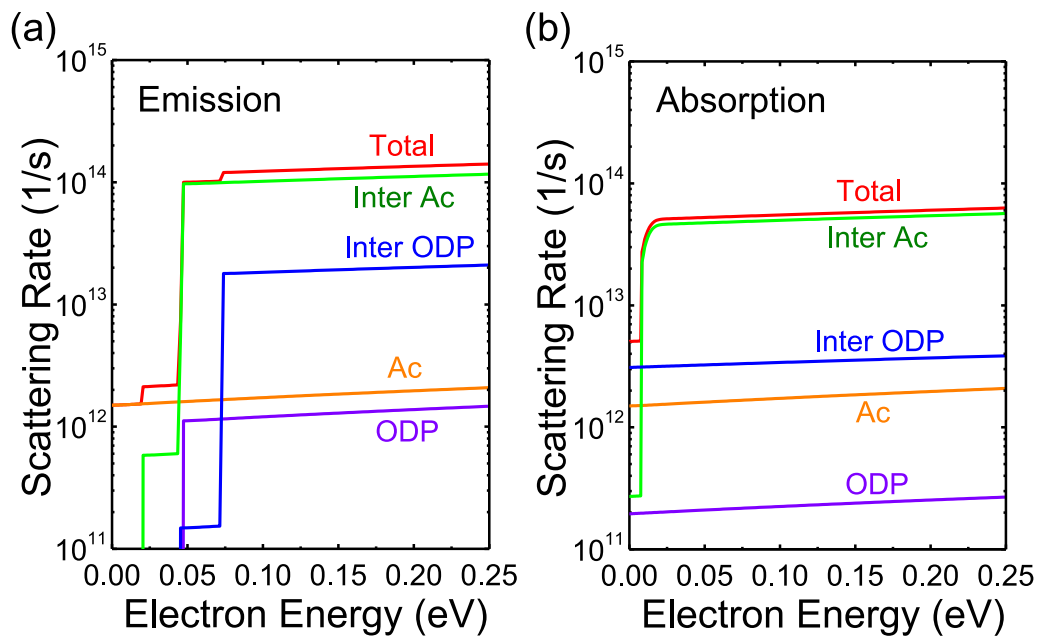


Figure 3.5: Electron-phonon scattering rates in WS₂ via (a) emission and (b) absorption of phonons calculated at room temperature.

Figure 3.5 shows the calculated results of the scattering rate in WS₂. Different from MoS₂, there is only one noticeable jump around 50 meV in figure 3.5(a). The

reason is that ΔE_{KQ} in WS₂ is only 27.7 meV. With the tiny ΔE_{KQ} , intravalley optical phonon scattering and intervalley scattering activate at almost the same energy level. As a result, there is only one clear jump in the total scattering rate. Besides, the energy difference between ΔE_{KQ} and intervalley acoustic phonon energy is only 10 meV. Therefore, electrons in WS₂ are easier to absorb phonon at low energy compared to electrons in MoS₂.

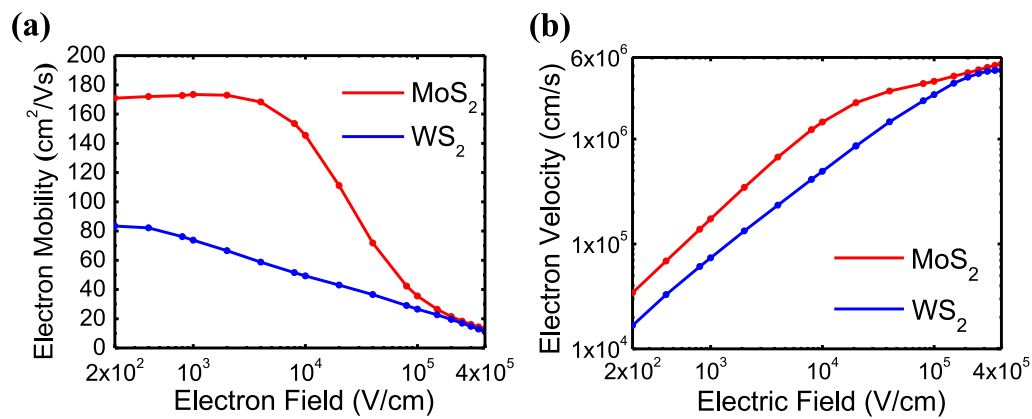
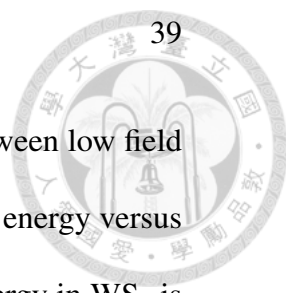


Figure 3.6: (a) Field-dependent mobilities and (b) field-dependent velocities are shown.

The red lines represent the intrinsic transport properties of MoS₂, and the blue lines represent the intrinsic transport properties of WS₂.

After getting the scattering rates of both materials, we put them into the multi-valley Monte Carlo model to calculate the intrinsic transport properties of the two materials. Field-dependent mobilities and velocities are shown in figure 3.6(a) and 3.6(b), respectively. The mobility of MoS₂ is 171 cm²/V-s, and the mobility of WS₂ is 83 cm²/V-s. The mobility of MoS₂ is much higher than that of WS₂. However, there is no much difference in high field velocities. From figure 3.7,



we can see the reason for the difference in transport behavior between low field and high field. Figure 3.7(a) shows the average electron potential energy versus the electric field. Under a low electric field, electron potential energy in WS₂ is 0.039 eV, which is higher than the ΔE_{KQ} of WS₂ so intervalley phonon scattering begins. The total scattering rate of WS₂ at energy=0.039 eV is $5.4 \times 10^{13} \text{ s}^{-1}$. On the contrary, the electron potential energy of MoS₂ under a low field is 0.036 eV, which is much lower than the ΔE_{KQ} of MoS₂, so intervalley phonon scattering doesn't work intensely. The total scattering rate of MoS₂ at energy=0.036 eV is only $1.1 \times 10^{13} \text{ s}^{-1}$. With a lower scattering rate, the mobility of MoS₂ is much higher than that of WS₂. As a result, ΔE_{KQ} influences activation of intervalley phonon scattering and, then, significantly affects the mobility of both materials.

When the electric field is higher than $1 \times 10^4 \text{ V/cm}$, electrons gain enough energy and have a higher probability of transporting in higher energy states. When electrons have higher energy states, both materials have comparable scattering rates. Therefore, MoS₂ and WS₂ have saturated velocities of $5.2 \times 10^6 \text{ cm/s}$ and $4.5 \times 10^6 \text{ cm/s}$ at an electric field of $4 \times 10^5 \text{ V/cm}$. There is no much difference in the high-field velocities.

3.4 Extrinsic Transport Properties

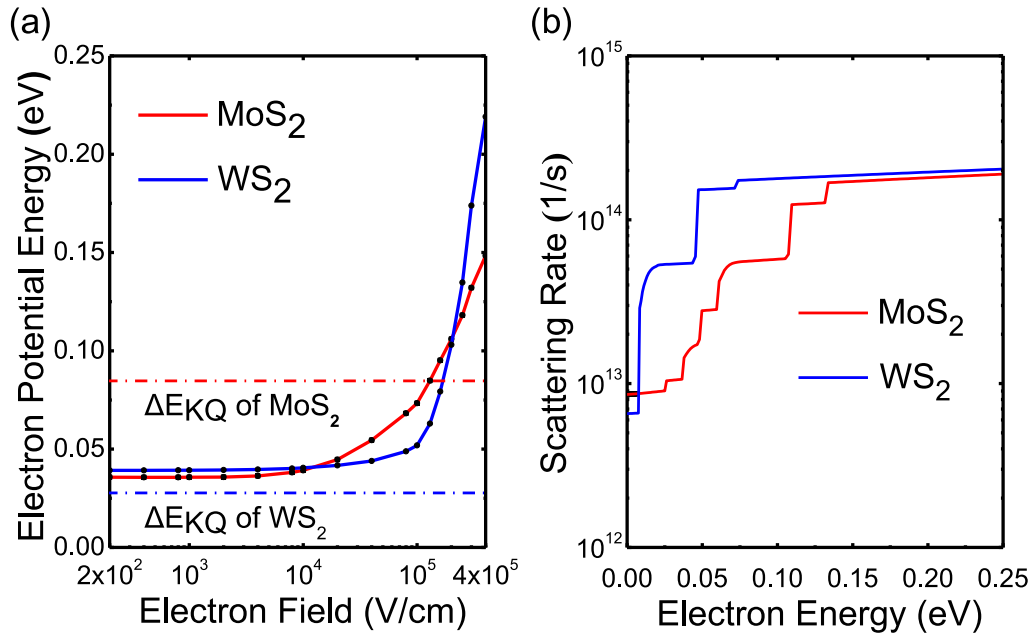


Figure 3.7: (a) Average electron potential energy and (b) total scattering rates of both MoS₂ and WS₂. The average electron energy of WS₂ under low field is 0.039 eV and higher than ΔE_{KQ} . The corresponding scattering rate of WS₂ in (b) is $5.4 \times 10^{13} \text{ s}^{-1}$. The average electron energy of MoS₂ under low field is 0.036 eV and higher than ΔE_{KQ} . The corresponding scattering rate of MoS₂ in (b) is $1.1 \times 10^{13} \text{ s}^{-1}$.

3.4.1 Remote Phonon Scattering

Remote phonon scattering has been verified as a critical factor to degrade the transport performance of TMD materials [68]. Therefore, to design devices, remote phonon scattering caused by dielectrics in FET should be considered in our transport model, especially when dielectrics consist of high- κ materials. Here we discuss the remote phonon of some commonly used dielectric materials, including SiO₂, Al₂O₃, HfO₂, and hBN. Table 3.3 shows the permittivity and transverse

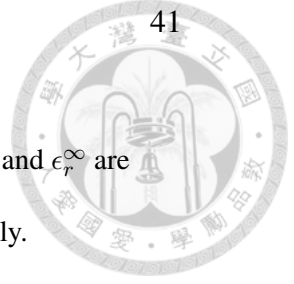


Table 3.3: Remote phonon modes for different dielectric materials. ϵ_r^o , ϵ_r^i and ϵ_r^∞ are low-frequency, intermediate and high-frequency permittivities, respectively.

Material	SiO ₂	Al ₂ O ₃	HfO ₂	hBN
$\epsilon_r^o (\epsilon_0)$	3.90	12.53	22.00	5.09
$\epsilon_r^i (\epsilon_0)$	3.36	7.27	6.58	4.58
$\epsilon_r^\infty (\epsilon_0)$	2.40	3.20	5.03	4.1
$\hbar\omega_{TO}^1$ (eV)	55.6	48.18	12.4	97.08
$\hbar\omega_{TO}^2$ (eV)	138.1	71.41	48.35	187.22

optical phonon frequency of these materials. Besides, in the nanosheet transistors, both top and bottom dielectrics surround the channel. Therefore, we only discussed the situation that 2D materials are stacked between the top and bottom dielectrics.

Calculation of the remote phonon scattering of MoS₂ is shown in figure 3.8. MoS₂ is stacked into the different dielectrics. With higher dielectric constant, HfO₂, and Al₂O₃ have stronger remote phonon scattering. Besides, with lower-energy phonon modes, electrons are also scattered at lower energy states. On the contrary, remote phonon scatterings of hBN and SiO₂ are weaker and activate at higher energy, so they have less impact on the transport properties.

Figure 3.9 shows the electrical transport properties considering the influences of the remote phonon scattering. If the dielectrics are hBN or SiO₂, the transport properties are close to the intrinsic transport properties. However, if dielectrics are Al₂O₃ or HfO₂, the transport properties are degraded by the remote phonon

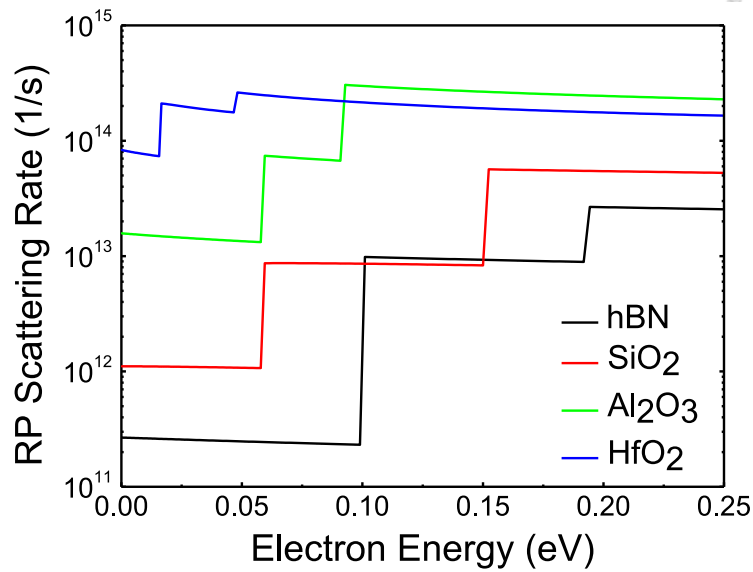
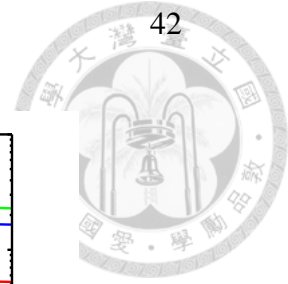


Figure 3.8: Remote phonon scattering rates of MoS₂ stacked into the different dielectric at the K valley.

scattering, which is due to the high dielectric constant and low-energy phonon modes of the high- κ materials. The influences of the four dielectric materials on the transport are also verified by others [76, 68, 77]. The transport properties of WS₂ with different dielectrics are shown in figure 3.10. They have the similar characteristics as those of MoS₂, but with stronger intrinsic phonon scattering, mobilities of WS₂ are lower than those of MoS₂.

After discussing the transport properties of MoS₂ and WS₂ w/o and with different dielectrics, we know that MoS₂ can perform better due to better intrinsic transport properties,. Therefore, MoS₂ will be our first choice for the channel of the nanosheet transistors in the next chapter.

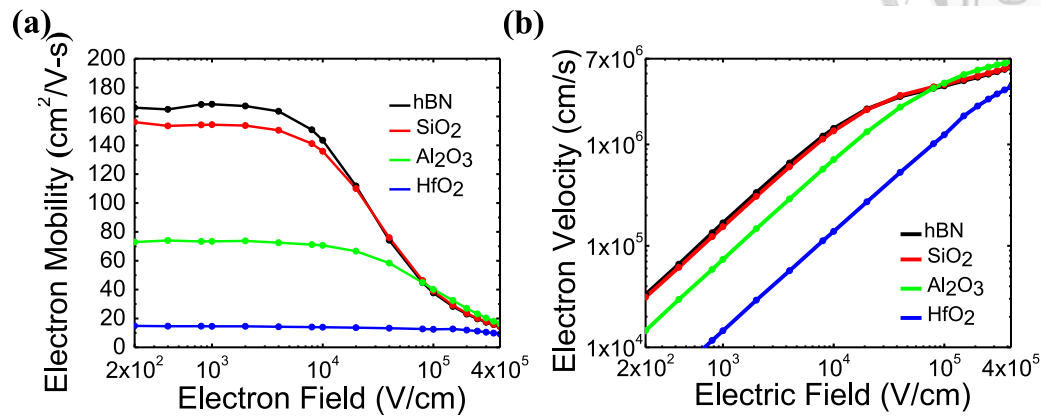


Figure 3.9: (a) Field-dependent mobilities and (b) field-dependent velocities of MoS₂ with different dielectrics are shown. If MoS₂ are surrounded by hBN or SiO₂, remote phonon scattering has no prominent effect on the electron transport properties. However, with Al₂O₃ or HfO₂ surrounding MoS₂, mobilities are degraded a lot.

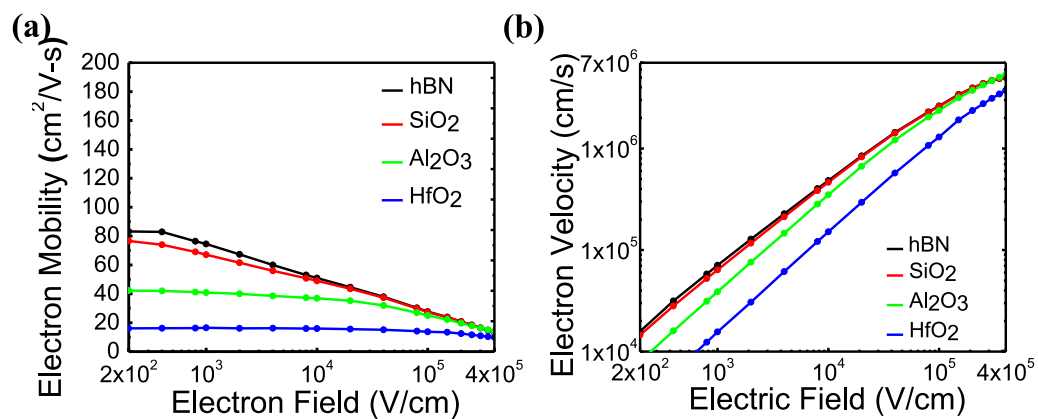


Figure 3.10: (a) Field-dependent mobilities, and (b) field-dependent velocities of WS₂ with different dielectrics.



Chapter 4

MoS₂ and WS₂ Based Transistor

4.1 Structures and Simulation Model of 2D Nanosheet Transistors

In this chapter, subthreshold swing (SS), drain-induced barrier lowering (DIBL), and on-current (I_{on}) will be discussed to see the gate controllability and the driving abilities of the 2D nanosheet transistors. We use MoS₂ and WS₂ as the channel. The channel of the transistor is a 0.6-nm-thick monolayer MoS₂ or WS₂ [67, 78]. Figure 4.1 shows the structure of the nanosheet transistor. L_G is the length of the top gate. In this structure, the bottom gate is symmetrical to the top gate. Therefore, the length of the bottom gate is also L_G . Besides, it is an underlap structure. Consequently, we leave a length of the underlap region (L_{un}) between the gates and the source/drain (S/D) contact for the underlap region.

Besides the structure shown in figure 4.1, which has symmetrical top and

4. MoS₂ and WS₂ Based Transistor

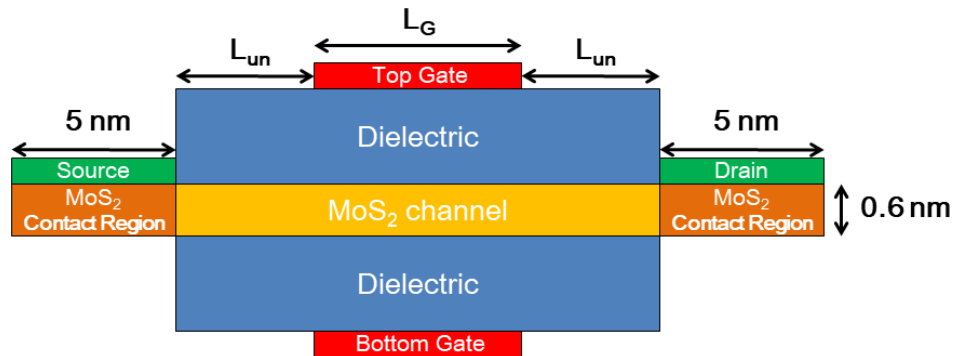


Figure 4.1: Illustration of the MoS₂ nanosheet transistor structure.

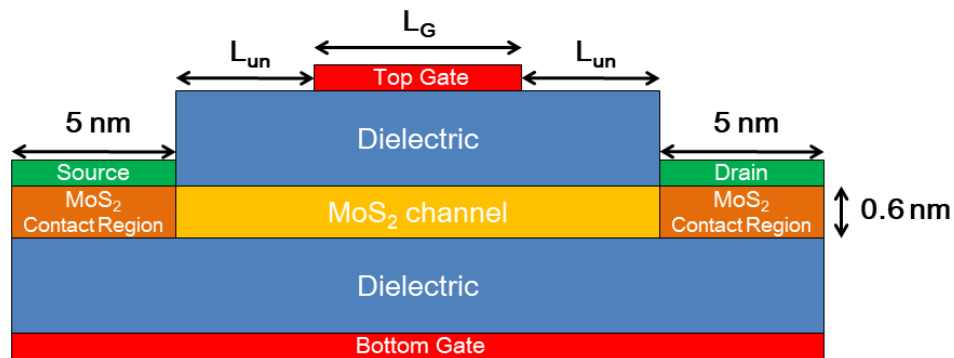


Figure 4.2: Illustration of asymmetrical MoS₂ nanosheet transistor structure.

bottom gates, we also discuss the nanosheet transistors with asymmetrical gates shown in figure 4.2. The bottom gate of the nanosheet transistor overlaps the S/D metal contact. With longer gate contact, the asymmetrical transistor has a longer effective L_G . Although longer L_G increases the gate capacitance, lowers the cutoff frequency and brings the negative influence to the RF applications, it has more possibility of inducing more carriers in the channel and offering better control [79, 80]. Later, we will compare the performances of the two structures.

Table 4.1: Parameter settings for nanosheet transistors

Material	MoS ₂	WS ₂	Al ₂ O ₃	HfO ₂
Band gap E_g (eV)	1.87	1.99	8.9	5.5
Electron affinity χ (eV)	4.0 [83]	4.0 [84]	2.0	2.0
Electron effective mass m^* (m_o)	0.51	0.32	1.0	0.21 [85]
Relative dielectric constant ϵ_r (ϵ_o)	4.2 [86]	5.4 [87]	9.3	22

Afterward, factors like L_G , dielectrics, L_{un} , and doping will be discussed based on the structure with better performance to optimize the performance of the device.

Before the discussion, we need to choose suitable dielectrics first. In chapter 3, we discussed the commonly-used dielectrics like SiO₂, hBN, Al₂O₃, and HfO₂. The former two materials have slight degradation of mobilities. However, SiO₂ is not suitable for scaling down [12, 81]. As for hBN, it has a dielectric constant of only 5.09 [68]. If equivalent oxide thickness (EOT) is under 1nm, the thickness of hBN is under 1.3 nm, four layers of hBN, and can't sustain the gate leakage current under 1 A/cm² [15, 82]. Figure 4.3 shows the leakage current density for different dielectrics [12, 13, 14, 15, 81]. As a result, for better gate quality, Al₂O₃ and HfO₂ are better choices for dielectrics. We will discuss the thickness of Al₂O₃ and HfO₂ in the latter section to discuss the effect of the materials and EOT on the nanosheet transistors. Table 4.1 shows the parameter settings of the 2D materials and dielectrics.

Besides structures and dielectrics, the effects of changing L_G , L_{un} , and dop-

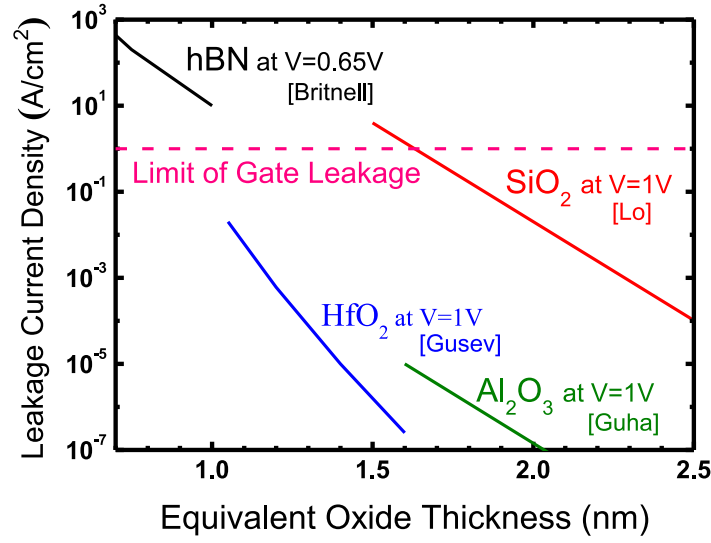


Figure 4.3: Leakage current density vs. equivalent oxide thickness for different dielectrics (Lo [12], Guha [13], Gusev [14], Britnell [15]).

ing are investigated, too. In addition, with dual gates in transistors, in the later discussion, drain currents are normalized by W_{eff} , which is equal to the double gate width. Furthermore, when we compare the I_{on} of the different transistors, the transistors are operated at the gate voltage $V_G = V_{off} + V_{DD}$, where V_{DD} is the supply voltage (V_{DD}) and V_{off} is the gate voltage at which off-current (I_{off}) happens. According to the IRDS, I_{off} should be fixed at $1 \times 10^{-4} \mu A/\mu m$ for the low power applications and V_{DD} is 0.65V.

4.2 Comparison of Symmetrical and Asymmetrical Gate

Both symmetrical and asymmetrical MoS₂ and WS₂ nanosheet transistors with L_G of 14, 12, 10, 7, and 5nm are discussed. L_{un} is 5nm long, and the dielectric is 1nm EOT of Al₂O₃. 2D material has impurity doping of $1 \times 10^{11} \text{ cm}^{-2}$ ($1.67 \times 10^{18} \text{ cm}^{-3}$). Total R_c including $R_{c,source}$ and $R_{c,drain}$ is $267 \Omega \cdot \mu\text{m}$. Figure 4.4 shows the transfer characteristics and output characteristics of the symmetrical MoS₂ nanosheet transistor at $L_G=5\text{nm}$. Figure 4.5 shows the transfer characteristics and output characteristics of the asymmetrical MoS₂ nanosheet transistor at $L_G=5\text{nm}$.

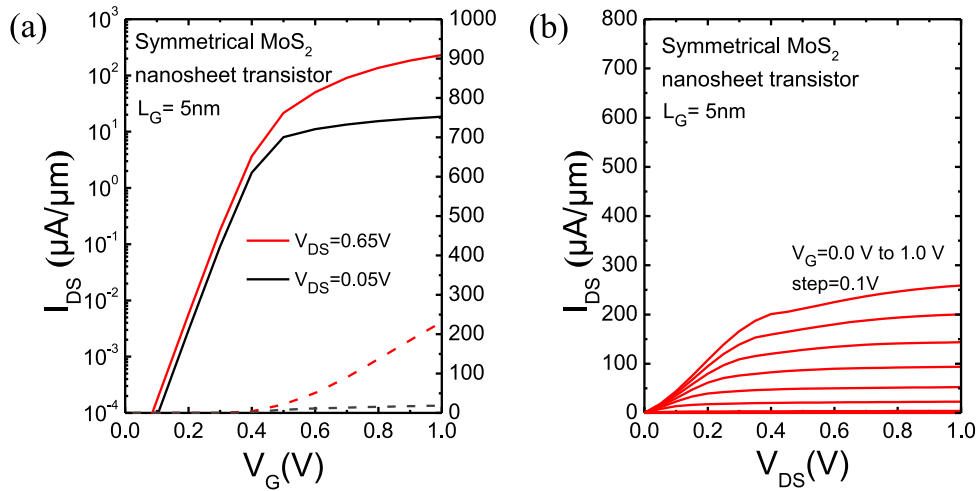


Figure 4.4: (a) I_{DS} - V_G transfer characteristics for the symmetrical MoS₂ nanosheet transistor at $L_G=5 \text{ nm}$. (b) I_{DS} - V_{DS} output characteristics for the symmetrical MoS₂ transistor at $L_G=5 \text{ nm}$.

When comparing the performance of the two structures, we discuss the transfer curves of the transistors at $V_G - V_{off}$. Figure 4.6 shows the transfer curves of

4. MoS₂ and WS₂ Based Transistor

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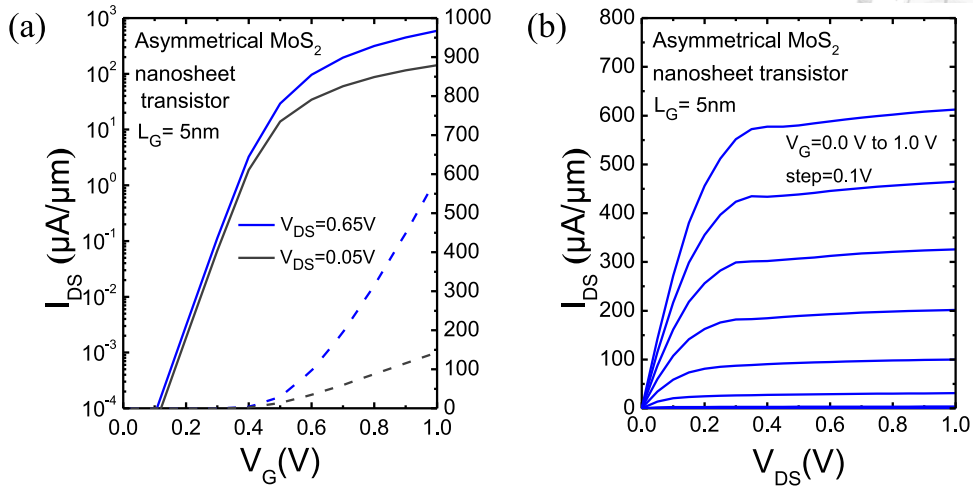


Figure 4.5: (a) I_{DS} - V_G transfer characteristics for the asymmetrical MoS₂ nanosheet transistor at $L_G=5nm$. (b) I_{DS} - V_{DS} output characteristics for the asymmetrical MoS₂ nanosheet transistor at $L_G=5nm$.

both structures at $L_G=5, 7, 12$, and $14nm$. In the symmetrical structure, the largest I_{on} is at $L_G=14nm$ and reaches $114 \mu A/\mu m$ at $V_{DS}=V_G-V_{off}=0.65V$. In the asymmetrical structure, the largest I_{on} happens at $L_G=7 nm$ and is $264 \mu A/\mu m$ at $V_{DS}=V_G-V_{off}=0.65V$. In addition, no matter how long L_G is, the I_{on} of the asymmetrical MoS₂ nanosheet transistor is two times more than that of the symmetrical MoS₂ nanosheet transistor. There are two reasons. The first reason is that with a longer bottom gate, gates can induce two times more electrons in the channel. Figure 4.7(a) shows the electron density in the MoS₂ membrane. The second reason is that the bottom gate also causes more carriers in the overlap region between bottom and S/D metal. Figure 4.7(b) shows the relation between the contact resistance (R_c) and the gate bias. When the gate bias is larger, the

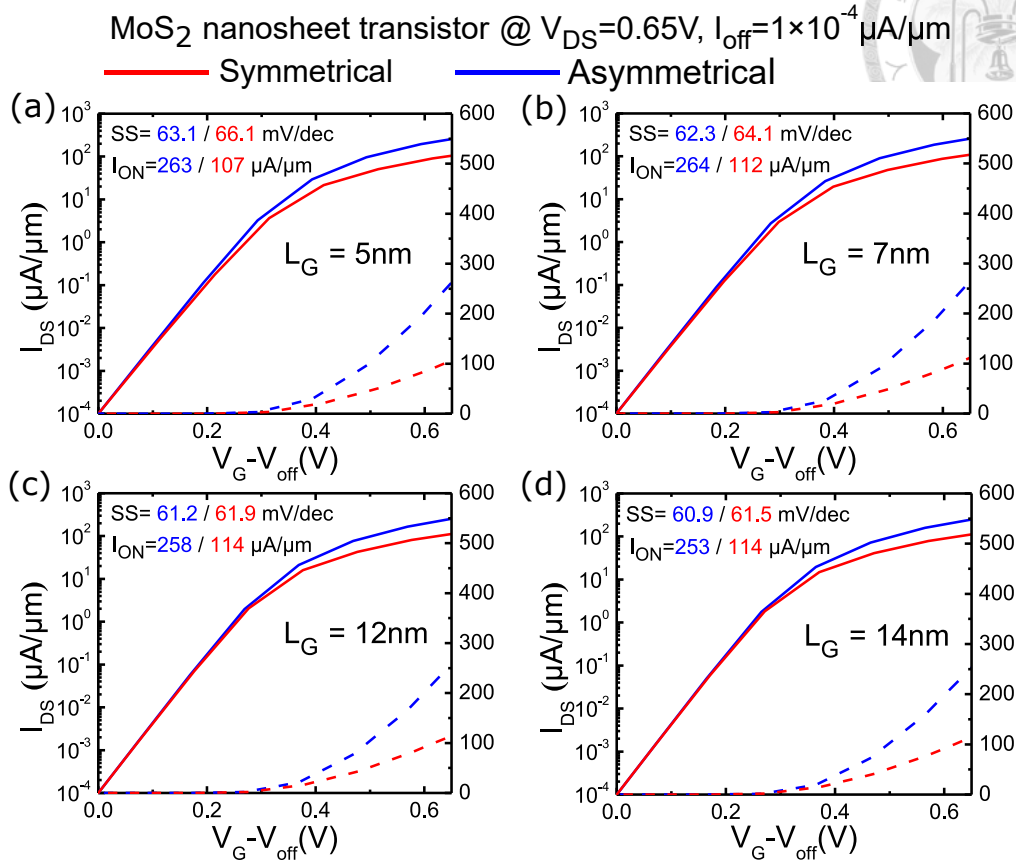


Figure 4.6: Transfer characteristics for the (a-d) MoS₂ nanosheet transistor with $L_G=5, 7, 12, 14$ nm. Transistors are operated at $V_{DD}=0.65V$ and $I_{off}=1\times 10^{-4} \mu A/\mu m$ following the IRDS.

bottom gate of the asymmetrical structure can induce more carriers in the contact region and lowers the effect from Schottky barrier between S/D metal and MoS₂ [9]. Consequently, the R_c of the asymmetrical structure becomes $105 \Omega \cdot \mu m$, which is much smaller than $267 \Omega \cdot \mu m$. Lower R_c also causes benefits to the I_{on} . Although the contact resistance is totally reduced but the bottom gate has different influences on the source and drain contact. In figure 4.7(a), the electron density in the contact of the symmetrical structure is 1×10^{11} , which means gate bias doesn't affect the

contact resistance. Instead, the electron density in the source and drain of the asymmetrical structure is significantly enhanced and reduced. The gate bias in the drain depletes the electron, which causes larger R_c . However, the gate bias still decreases the R_c .

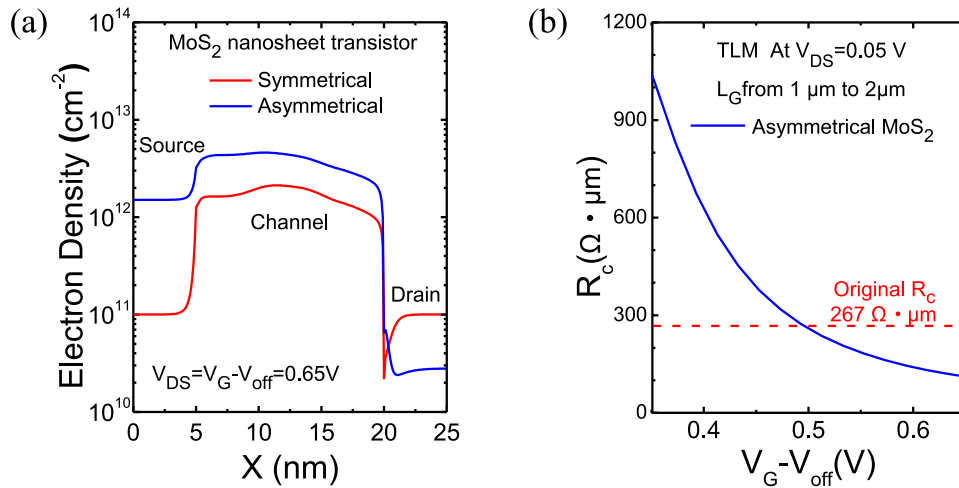


Figure 4.7: (a) The average of the electron density in the MoS₂ membrane. (b) R_c vs. the gate bias.

Besides, figures 4.8(a) and 4.8(b) show DIBL and SS values as a function of L_G . The asymmetrical structure can keep SS value under 65 mV/dec and DIBL under 23 mV/V at $L_G=5nm$, demonstrating better gate control than the symmetrical structure. With a better gate control, gate drive at the limited supply voltage also increases.

The performances of WS₂ nanosheet transistors are also investigated and are summarized in figure 4.9. With a stronger scattering rate mentioned in chapter 3, the I_{on} of WS₂ transistors is lower than that of MoS₂ transistors. In addition, when

4. MoS₂ and WS₂ Based Transistor

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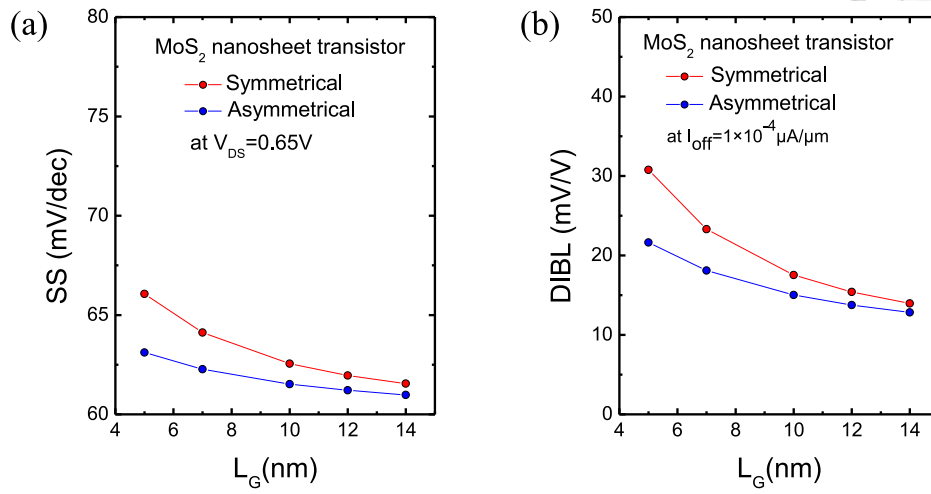


Figure 4.8: (a) Subthreshold swing SS at $V_{DS}=0.65V$ as a function of L_G and (b) DIBL at $I_{off}=1 \times 10^{-4} \mu A/\mu m$ as a function of L_G for symmetrical and asymmetrical MoS₂ nanosheet structure.

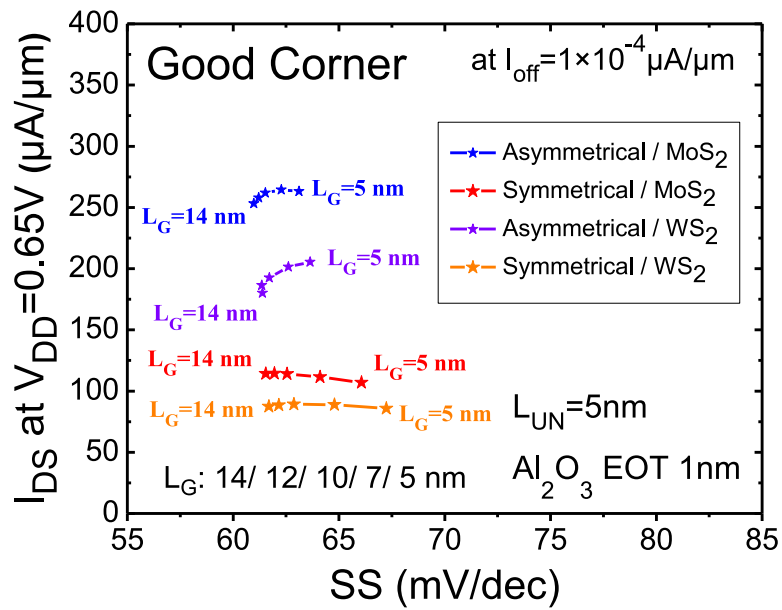
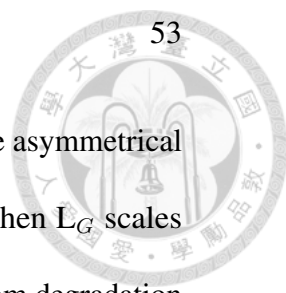


Figure 4.9: Comparison of the performance of the transistors with different structures, materials, and L_G .



L_G s scale down, the two designs show different trends of I_{on} . In the asymmetrical structure, I_{DS} are increasing when L_G is narrowing down. But when L_G scales down from 7nm to 5nm, the trend stops. The phenomenon comes from degradation of SS at $L_G=5nm$. When SS degrades, gate drive at $V_{DD}=0.65V$ gets smaller. The effect of a smaller gate drive surpasses the benefit from L_G scaling down. Then, the I_{on} can't keep increasing. As for the symmetrical structure, scaling down can't increase I_{on} . The distinct phenomenon comes from the difference in the gate controllability between the two structures. The symmetrical structure has worse gate control. As L_G shrinks, the disadvantage of the SS degradation exceeds the advantage of enhancing electric fields. Consequently, I_{on} decreases with L_G scaling down. Therefore, if we want to pursue a higher I_{on} under limited V_{DD} , gate control is critical. If the transistor can't suppress short channel effects, shrinking L_G will make transistors worse. Finally, the performance of the asymmetrical MoS₂ nanosheet transistor is the best. Therefore, in the later section, the asymmetrical structure and MoS₂ are adopted to optimize the transistor.

4.3 Effect of Dielectric

EOT of dielectric is a critical factor influencing the performance of transistors. Nowadays, groups succeeded in growing HfO₂ on MoS₂ with an EOT of 1nm [88]. A model forecasts that to meet the requirement for the gate leakage of 1A/cm², limits of EOT of Al₂O₃ and HfO₂ are 0.8nm and 0.9nm, respectively [89]. In the previous section, 1nm EOT Al₂O₃ dielectric is discussed. However, when

L_G scales down to 5nm, 1nm EOT of Al₂O₃ dielectric can't sustain very low SS and then slightly degrades I_{on} . As a result, a more aggressive design is needed to enhance the gate control and increase I_{on} . In the section, we use the asymmetrical MoS₂ nanosheet transistors to investigate the effect of the dielectric. Dielectrics are Al₂O₃ and HfO₂, with EOT ranging from 2nm to 0.8nm.

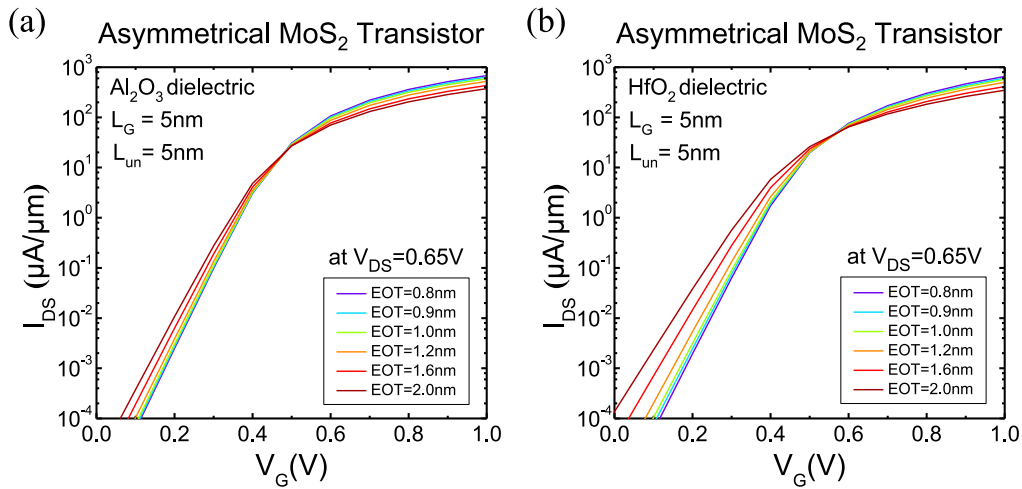


Figure 4.10: I_{DS} - V_G transfer characteristics of the asymmetrical MoS₂ nanosheet transistors with (a) Al₂O₃ and (b) HfO₂ dielectric.

Figure 4.10 shows the transfer characteristics of the transistors with the dielectric of Al₂O₃ or HfO₂, respectively. With smaller EOT, the transfer curve is steeper, indicating smaller SS value. At the same time, I_{on} is also enhanced. Therefore, thinner EOT can boost the performance of the transistors.

We summarize the performance of the transistors with different dielectrics, EOTs, and L_G at $V_{DS}=V_G-V_{off}=V_{DD}=0.65V$. Comparing figures 4.11(a) and (b), the transistors with Al₂O₃ show larger I_{on} . At $L_G=5nm$, I_{on} reaches 308 $\mu A/\mu m$.

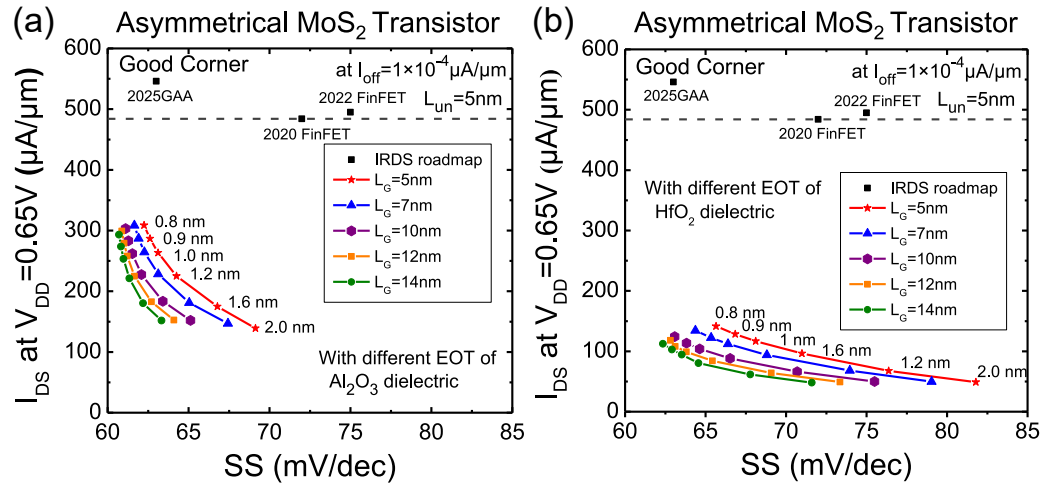


Figure 4.11: Comparison of the performance of the transistors with (a) Al_2O_3 and (b) HfO_2 dielectric. Al_2O_3 dielectric demonstrates better performance.

As for HfO_2 , the maximum I_{on} is $141 \mu A/\mu m$. As a result, Al_2O_3 is a better choice for the dielectric due to less impact from the remote phonon scattering. Besides, with thinner EOT, the gate control is improved. The benefits from scaling down of L_G appears. However, when we make EOT 0.8nm, which is the limit of the dielectric thickness, I_{on} still can't reach the requirement of the IRDS. As a result, the transistor structure needs other improvements.

4.4 Effect of L_{un}

In the previous section, the length of the discussed L_{un} is 5nm. However, it is possible to enhance I_{on} by selecting proper L_{un} [90]. In this section, we investigate the influences of L_{un} and select suitable L_{un} to increase I_{on} .

In figure 4.12, the drain currents of the transistors with different L_{un} are com-

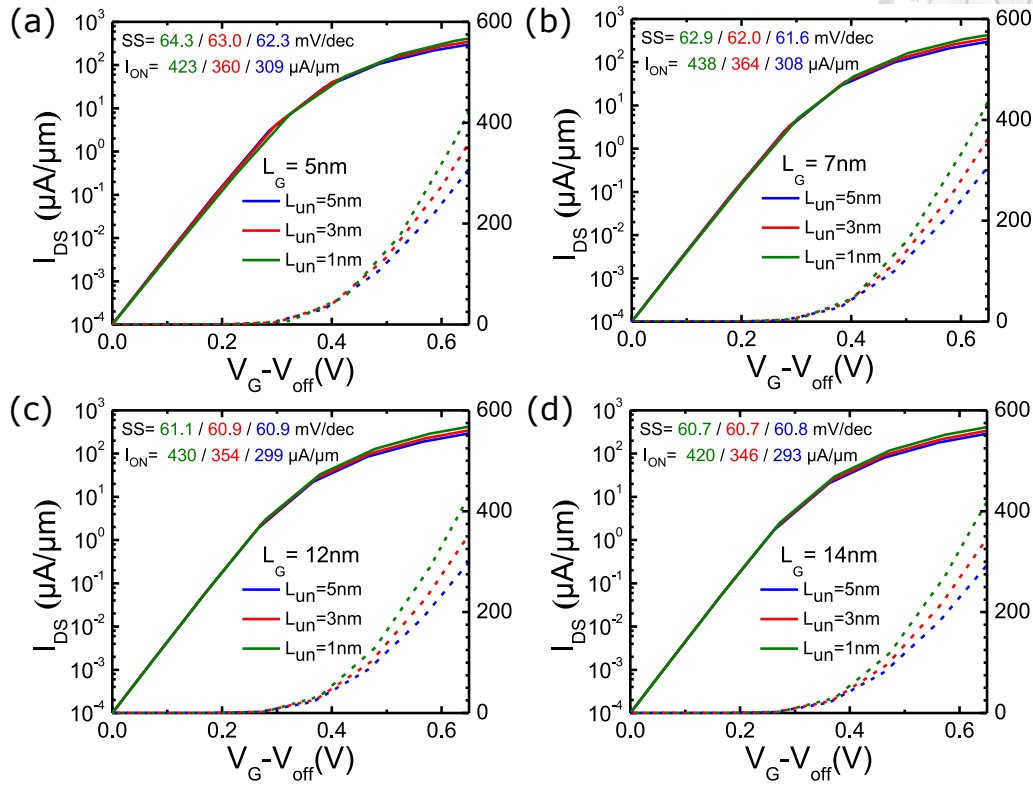


Figure 4.12: Transfer characteristics of transistors with (a) $L_G=5nm$, (b) $L_G=7nm$, (c) $L_G=12nm$ and (d) $L_G=14nm$. With longer L_G , transistors demonstrate better gate control. With shorter L_{un} , I_{on} increases but gate control degrades.

pared at the same $I_{off}=1 \times 10^{-4} \mu A/\mu m$ and $V_{DS}=0.65V$. If L_{un} shrinks, currents are greatly enhanced because reducing L_{un} can effectively lowers the channel resistance. If L_{un} changes from 5nm to 1nm, the current at $L_G=7nm$ increases from 308 $\mu A/\mu m$ to 438 $\mu A/\mu m$, reaching 90% of the IRDS requirement. However, shorter L_{un} also brings DIBL and makes SS worse. In figure 4.13(a), when L_{un} shrinks down to 1nm, DIBL becomes stronger. Particularly at $L_G=5nm$, DIBL increases more than 30 mV/V. Figure 4.13(b) shows the conduction band of the transistor with $L_{un}=1nm$, and different L_G and V_{DS} . When L_G is 14nm, increasing

V_{DS} doesn't lower the potential barrier. On the contrary, when L_G is 5nm, the barrier maximum decreases with V_{DS} increasing. It means stronger DIBL exists in the shorter channel device and worsens the gate control. Figure 4.14 shows shrinking L_{un} causes higher I_{on} and worse SS. As L_{un} shrinks under 5nm, worse gate control causes less gate drive. Consequently, the maximum current of 438 $\mu A/\mu m$ appears at $L_G=7nm$.

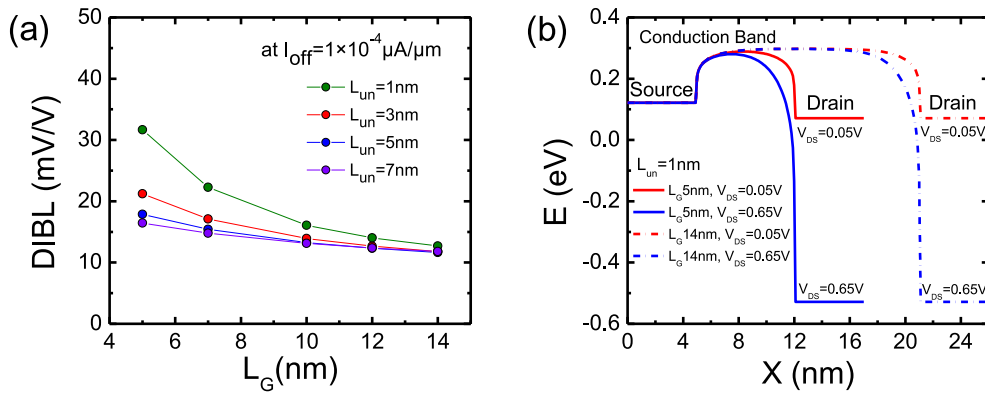


Figure 4.13: (a) DIBL as a function of L_G . (b) Conduction bands of the channels in the transistor with $L_G=5$ nm (solid line) and $L_G=14nm$ (dotted line).

4.5 Effect of Doping

Doping can increase carrier density in the channel, but it is challenging to dope in an atomically thin layer. However, substoichiometric metal oxide has been studied to provide stable n-type and p-type doping in the 2D material layer [91, 92]. AlO_x is n-type doping substoichiometric metal oxide. It can offer energy states beyond the bandgap of MoS₂ and induce more mobile electrons in MoS₂ [93]. Nowadays,

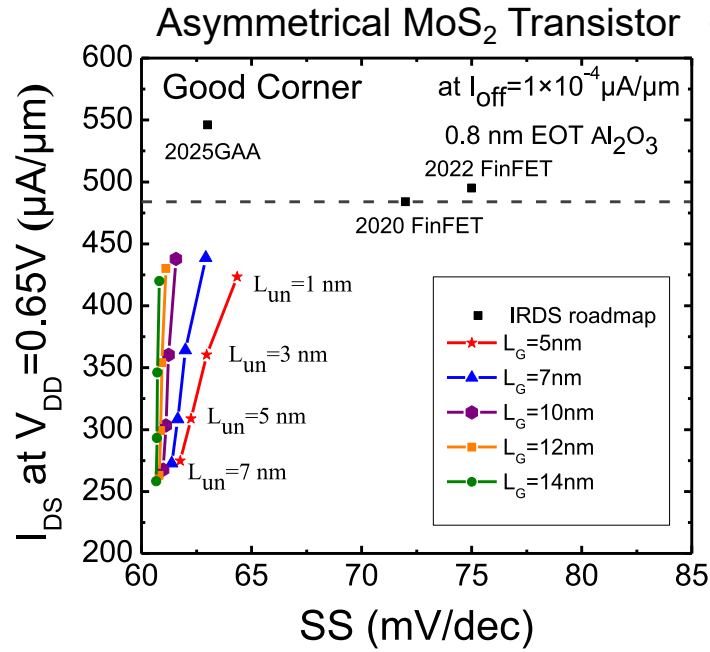


Figure 4.14: Comparison of the performance of the transistors with $L_{un}=1, 3, 5,$ and $7nm$ and $L_G=5, 7, 10, 12,$ and $14nm$. The transistors are operated at $V_{DD}=0.65V$ and $I_{off}=1 \times 10^{-4} \mu A/\mu m$ and $0.8nm$ EOT Al₂O₃ dielectric is used.

with one-sided AlO_x capping on MoS₂, the doping concentration in MoS₂ can reach $2 \times 10^{13} cm^{-2}$ [93]. Here we consider the undoped MoS₂ channel, which has electron concentration of $1 \times 10^{11} cm^{-2}$, surrounded by the top and bottom AlO_x to discuss the influences of the doping concentrations. Figure 4.15 shows the structure. First, devices with $L_G=100nm$ are used to discuss the relation between the doping concentration of AlO_x and the induced electron concentration in MoS₂. The relation is shown in figure 4.16. In this section, we have n-type AlO_x with the doping concentrations of $1.1 \times 10^{19}, 2.8 \times 10^{19}, 5.6 \times 10^{19}, 8.4 \times 10^{19},$ and $1.1 \times 10^{20} cm^{-3}$ and the corresponding induced electron concentrations in MoS₂ are $4 \times 10^{12}, 1 \times 10^{13}, 2 \times 10^{13}, 3 \times 10^{13}$ and $4 \times 10^{13} cm^{-2}$.

4. MoS₂ and WS₂ Based Transistor

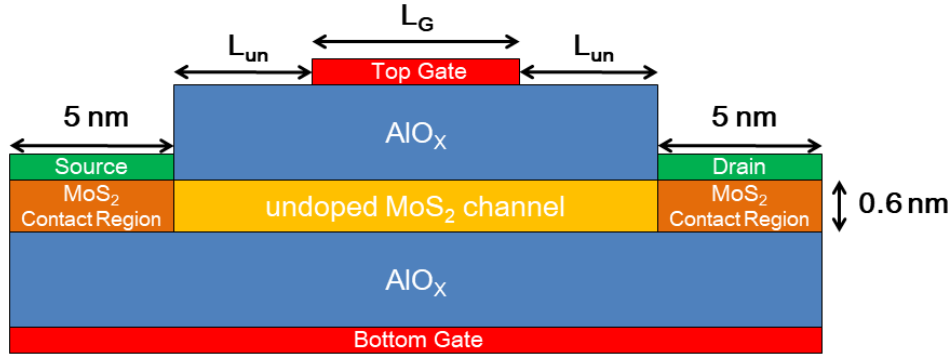


Figure 4.15: Illustration of the AlO_x doped MoS₂ nanosheet transistor.

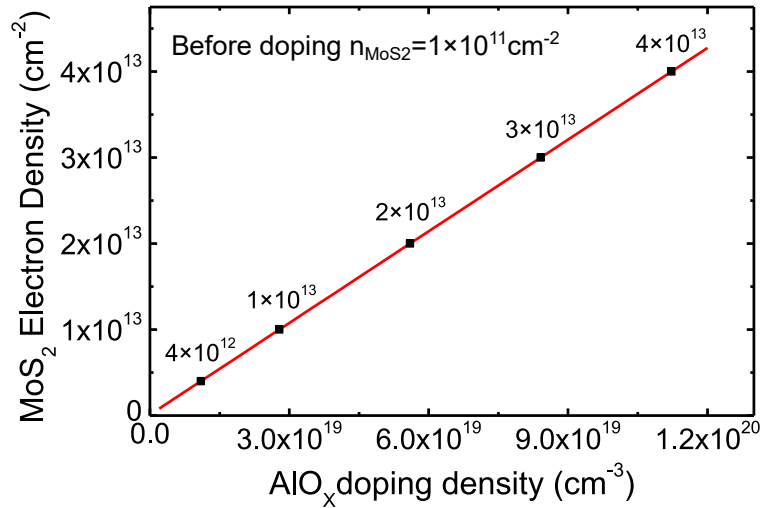


Figure 4.16: Linear relation between the doping concentration of AlO_x and the induced electron concentration of MoS₂. The black dots are the doping concentrations to be investigated.

In figure 4.17(a), when the doping concentration increases, the threshold voltage (V_{TH}) decreases. V_{TH} shifts rise from more electrons in the MoS₂ channel. When comparing the performance, we also compare the transfer characteristics at $V_G - V_{off}$. Transistors operate at $V_{DD} = 0.65V$. Figure 4.17(b) shows the perfor-

mance of the transistors with different doping concentrations. As doping increases, there is no influence on the gate control. Besides, I_{on} significantly increase. At $L_G=7\text{nm}$, $L_{un}=1\text{nm}$ and $n=3\times 10^{13}\text{ cm}^{-2}$, $I_{on}=483\text{ }\mu\text{A}/\mu\text{m}$. Comparing to devices without doping, I_{on} increases 10%, and fulfills the requirement of the 2020 IRDS. If doping can reach $n=4\times 10^{13}\text{ cm}^{-2}$, I_{on} reaches $495\text{ }\mu\text{A}/\mu\text{m}$, fulfilling the requirement of the 2022 IRDS. Therefore, if the process of doping won't influence the quality of the interface, substoichiometric metal oxide doping can bring benefits to the performance.

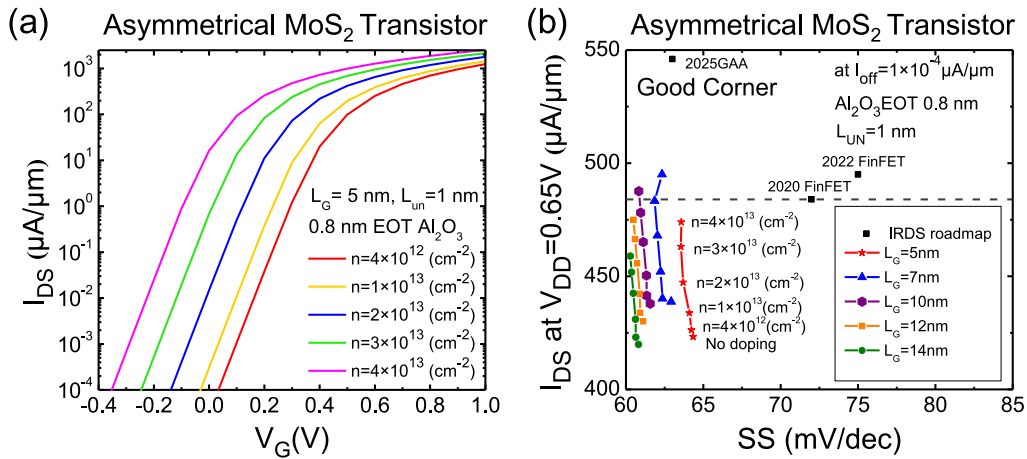


Figure 4.17: (a) Comparison of the transfer characteristics of the transistors with $L_G=5\text{nm}$, $L_{un}=1\text{nm}$, and different concentrations of MoS₂ doping. (b) Comparison of I_{on} and SS of transistors with different doping concentrations at $I_{off}=1\times 10^{-4}\text{ }\mu\text{A}/\mu\text{m}$ and $V_{DD}=0.65\text{V}$. In figure(b), doping concentrations are gradually increasing from the bottom point to the top point.



4.6 Benchmark

With 0.8nm EOT Al₂O₃ dielectric, $L_{un}=1\text{nm}$, $L_G=7\text{nm}$, n-type doping= $4\times 10^{13}\text{cm}^{-2}$, the best performance of the MoS₂ nanosheet transistor is $I_{on}=495\text{ }\mu\text{A}/\mu\text{m}$ at $I_{off}=1\times 10^{-4}\text{ }\mu\text{A}/\mu\text{m}$. We compare the MoS₂ nanosheet transistors with Si GAA FETs. Benchmarks of DIBL vs. L_G and I_{DS} vs. SS value for Si GAA FETs are shown in figure 4.18 [16, 17, 18, 19, 20, 21, 22, 23, 24, 25]. We define the gate drive voltage $V_{ov}=V_G-V_{TH}$. V_{TH} is the gate bias at which the current density is $0.1\text{ }\mu\text{A}/\mu\text{m}$ [16]. In figure 4.18(a), the MoS₂ nanosheet transistor demonstrates very low DIBL and shows good electrostatics. In figure 4.18(b), low SS value shows good gate control. Besides gate control, with multiple improvements of the structures and doping, I_{on} can also reach I_{on} requirement of the IRDS.

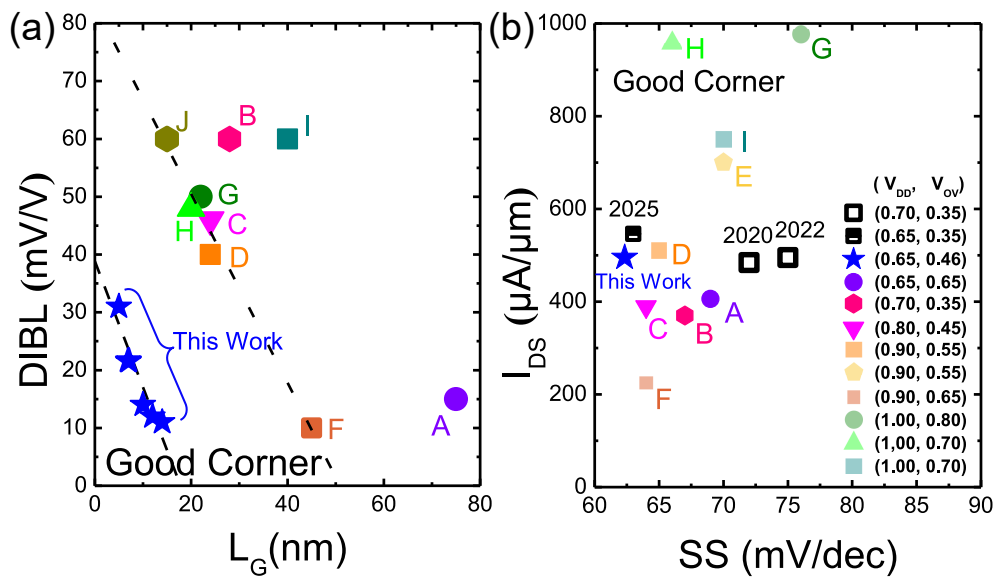


Figure 4.18: Benchmarks of (a) DIBL vs. L_G and (b) I_{DS} vs. SS value for Si GAA FETs.

Only this work is the MoS₂ nanosheet transistor. The data from this work is labeled by the blue stars. The blue star in (b) is the best I_{on} in this work. Label A to J corresponds to references [16, 17, 18, 19, 20, 21, 22, 23, 24, 25], respectively.



Chapter 5

Conclusion and Future Work

In chapter 3, the transport properties of MoS₂ and WS₂ are discussed with the Monte Carlo method. By this method, the intrinsic mobilities of MoS₂ and WS₂ are calculated to be 171 cm²/V-s and 83 cm²/V-s, respectively. ΔE_{KQ} is the critical factor in influencing the transport properties of materials. With smaller ΔE_{KQ} , K-to-Q intervalley phonon scattering activates earlier. With six satellite Q valleys, K-to-Q intervalley phonon scattering rate is almost ten times more than the sum of the other intrinsic phonon scattering rate. Transport properties are significantly degraded by K-to-Q intervalley scattering if the scattering mechanism activates too early.

When we design transistors, the dielectric is also an important factor. To pursue low EOT, high- κ materials are selected to be dielectrics. However, with high dielectric constant and low-energy phonon mode, the remote phonon scattering from the high- κ material degrades the transport a lot. MoS₂ stacked between Al₂O₃

and HfO_2 are $73 \text{ cm}^2/\text{V-s}$ and $15 \text{ cm}^2/\text{V-s}$. On the contrary, although hBN and SiO_2 are not suitable for scaling down, they have weak remote phonon scattering.

After discussing the transport properties of MoS_2 and WS_2 , both materials are used as the channels of 2D monolayer nanosheet transistors. Two structures of nanosheet transistors are compared. One structure is the transistor with dual symmetrical gates. The other one is the transistor with dual gates but a wider bottom gate. With inducing double carriers in the channel and contact, the asymmetrical structure has two times more current at the same V_{DD} . As for materials of the channels, MoS_2 shows better performance than WS_2 due to a weaker scattering rate. Because of better performance, the asymmetrical MoS_2 nanosheet is adopted to be optimized. We optimized transistors in several approaches, including L_G , dielectric, L_{un} , and doping. For L_G , scaling down of L_G is not certain to bring benefits to I_{on} at limited V_{DD} . If L_G shrinks, gate control has the possibility of being degraded too much. Consequently, shrinking L_G is a trade-off. EOT and materials of the dielectrics are also investigated. Smaller EOT can increase gate control and enhance I_{on} , but at the same time, gate leakage current must be considered. Furthermore, with weaker remote phonon scattering, Al_2O_3 is a better choice for the dielectric. As for L_{un} , shrinking L_{un} increases I_{on} but also increases DIBL. At $\text{EOT}=0.8\text{nm}$, $L_G=7\text{nm}$, the transistor is not affected much by DIBL when shrinking L_{un} to 1nm . At $V_{DD}=0.65\text{V}$, it can reach $438 \mu\text{A}/\text{mm}$, which is 90 % of the requirement of the IRDS. As for doping, substoichiometric metal oxide doping is selected. AlO_x dielectric is used to dope undoped MoS_2 . Doping increases I_{on}

and doesn't influence the gate control. At a doping level of 3×10^{13} , nanosheet transistors can reach $I_{on}=483 \mu A/\mu m$, close to the requirement of the 2020 IRDS. At a doping level of 4×10^{13} , nanosheet transistors can reach $I_{on}=495 \mu A/\mu m$ at $V_{DD}=0.65V$, meeting I_{on} requirement of the 2022 IRDS. Comparing with Si GAA FETs, MoS_2 nanosheet transistors show good electrostatics and gate control. After optimization, I_{on} also reaches the international requirement. As a result, MoS_2 nanosheet transistors indeed have the potential for the future technology.

In the future, there are several ways to enhance the performance of the transistors. The first way is by lowering the intrinsic scattering rates of TMD materials. In the literature, the band structures of MoS_2 and WS_2 are sensitive to strain [94]. With strain applied, it is possible to increase ΔE_{KQ} and reduce the influence of the K-to-Q intervalley scattering [75]. By lowering the scattering rate, we can enhance mobilities and enlarge the probability of ballistic transport under a high electric field. Consequently, I_{on} will increase. Another way is about dielectrics. Although Al_2O_3 is a suitable dielectric, HfO_2 is a more commonly seen material for high-K dielectric because of its high dielectric constant. How to reduce remote phonon scattering caused by HfO_2 becomes an important issue. Bi-layer dielectric, like Al_2O_3/HfO_2 , has been proposed [95]. It might be a promising way to reduce the remote phonon scattering from HfO_2 . For example, we can stack a few layers of hBN between MoS_2 and HfO_2 . With the longer distance between MoS_2 and HfO_2 , the Coulomb force is decreasing and reduce the remote phonon scattering. Therefore, bi-layer dielectric has the possibility to reduce EOT and enhance current.

5. Conclusion and Future Work

These improvements have the possibility of enhancing I_{on} of the 2D transistors and making 2D transistor more suitable for the process and future technology.





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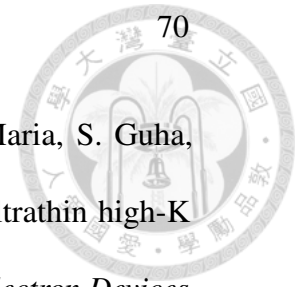
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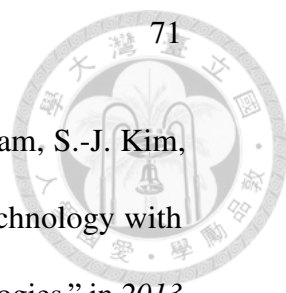
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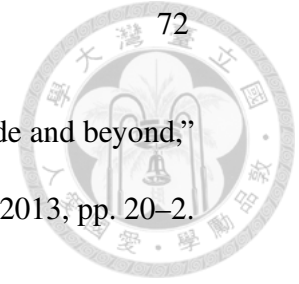


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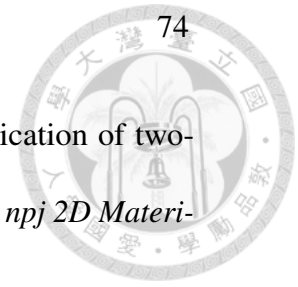
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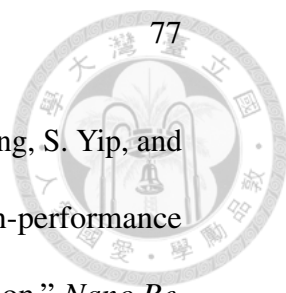


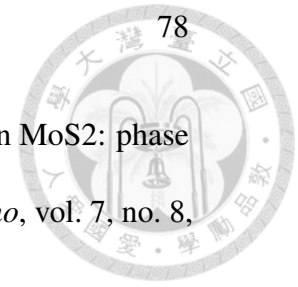
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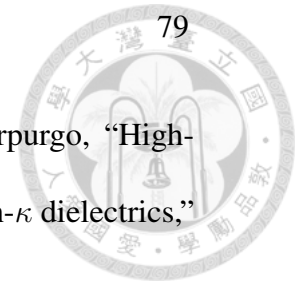


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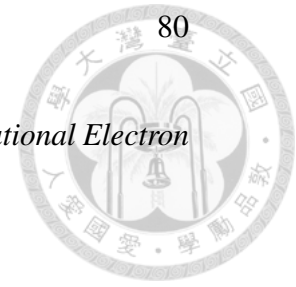
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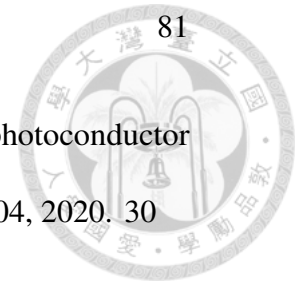
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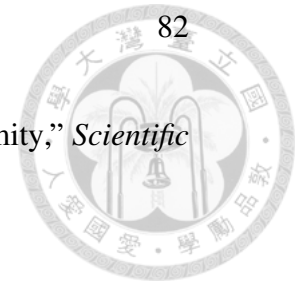
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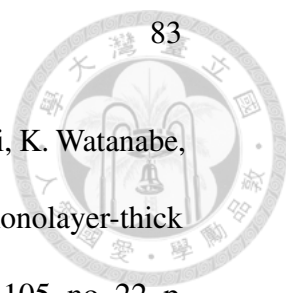
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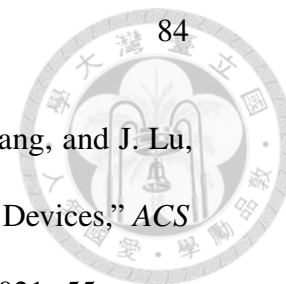


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Appendices



Appendix A

Deformation potential constants for MoS₂ and WS₂

Deformation potential constants of MoS₂ and WS₂ in first brillouin are given in Table A.1 and Table A.2 [52]. In the tables, "ac" means acousitc phonon and "dp" means deformation potential optical phonon.



Table A.1: Deformation potential constants for electron-phonon interaction in the conduction band of K and Q valleys.

Transition	Phonon mode	Phonon energy (meV)	MoS ₂	Units
K → K	ac, Γ	0	4.5	eV
	dp, Γ	49.5	5.8	10 ⁸ eV/cm
K → K'	ac, K	26.1	1.4	10 ⁸ eV/cm
	dp, K	46.8	2.0	10 ⁸ eV/cm
K → Q	ac, Q	20.7	0.93	10 ⁸ eV/cm
	dp, Q	48.1	1.9	10 ⁸ eV/cm
K → Q'	ac, M	24.2	4.4	10 ⁸ eV/cm
	dp, M	47.5	5.6	10 ⁸ eV/cm
Q1 → Q1	ac, Γ	0	2.8	eV
	dp, Γ	49.5	7.1	10 ⁸ eV/cm
Q1 → Q2(Q6)	ac, Q	20.7	2.1	10 ⁸ eV/cm
	dp, Q	48.1	4.8	10 ⁸ eV/cm
Q1 → Q3(Q5)	ac, M	24.2	2.0	10 ⁸ eV/cm
	dp, M	47.5	4.0	10 ⁸ eV/cm
Q1 → Q4	ac, K	26.1	4.8	10 ⁸ eV/cm
	dp, K	46.8	6.5	10 ⁸ eV/cm
Q1 → K	ac, Q	20.7	1.5	10 ⁸ eV/cm
	dp, Q	48.1	2.4	10 ⁸ eV/cm
Q1 → K'	ac, M	24.2	4.4	10 ⁸ eV/cm
	dp, M	47.5	6.6	10 ⁸ eV/cm



Table A.2: Deformation potential constants for electron-phonon interaction in the conduction band of K and Q valleys.

Transition	Phonon mode	Phonon energy (meV)	WS ₂	Units
K → K	ac, Γ	0	3.2	eV
	dp, Γ	46.8	3.1	10 ⁸ eV/cm
K → K'	ac, K	45.0	1.4	10 ⁸ eV/cm
	dp, K	45.0	1.1	10 ⁸ eV/cm
K → Q	ac, Q	20.7	0.93	10 ⁸ eV/cm
	dp, Q	45.9	1.6	10 ⁸ eV/cm
K → Q'	ac, M	24.2	4.4	10 ⁸ eV/cm
	dp, M	45.8	4.7	10 ⁸ eV/cm
Q1 → Q1	ac, Γ	0	1.8	eV
	dp, Γ	46.8	3.4	10 ⁸ eV/cm
Q1 → Q2(Q6)	ac, Q	17.7	1.7	10 ⁸ eV/cm
	dp, Q	45.9	2.3	10 ⁸ eV/cm
Q1 → Q3(Q5)	ac, M	19.6	1.5	10 ⁸ eV/cm
	dp, M	45.8	1.9	10 ⁸ eV/cm
Q1 → Q4	ac, K	20.5	3.7	10 ⁸ eV/cm
	dp, K	45.0	3.1	10 ⁸ eV/cm
Q1 → K	ac, Q	17.7	1.4	10 ⁸ eV/cm
	dp, Q	45.9	1.3	10 ⁸ eV/cm
Q1 → K'	ac, M	19.6	4.0	10 ⁸ eV/cm
	dp, M	45.8	4.6	10 ⁸ eV/cm